

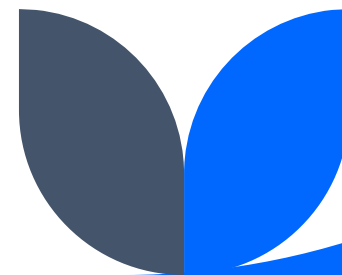
Towards attack detection in traffic data based on spectral graph analysis

Majed Jaber, Pierre Parrend, Nicolas Boutry

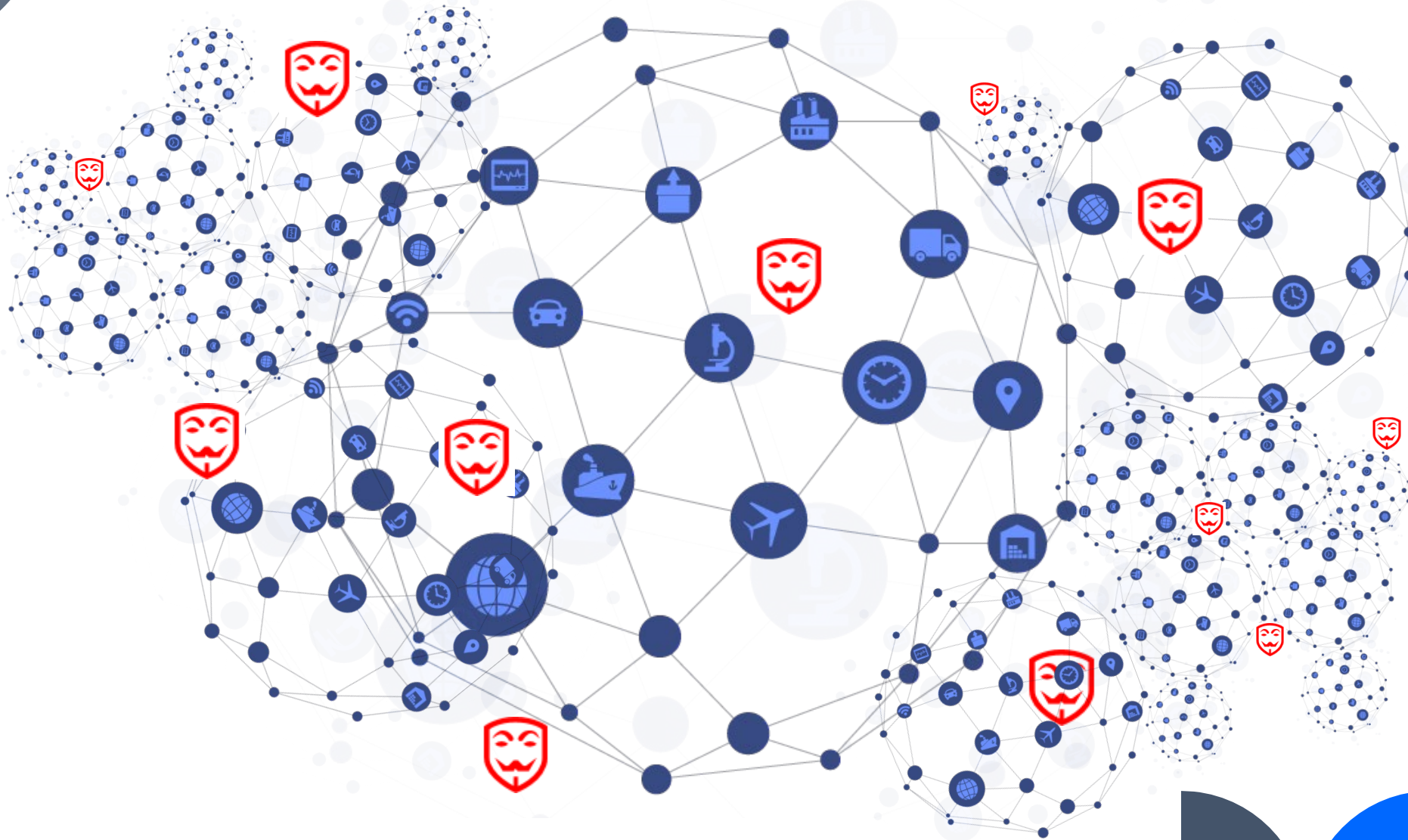


Outline

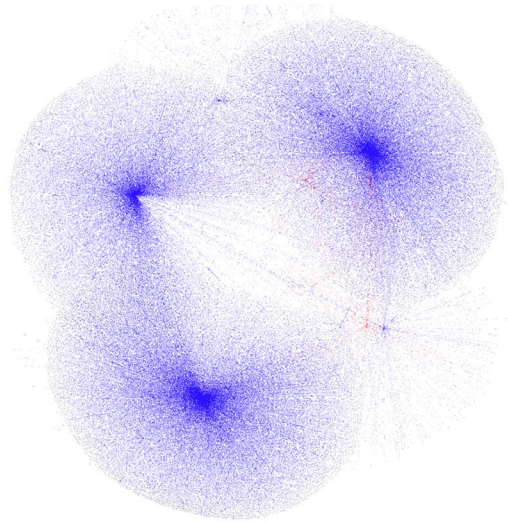
- Introduction of the team and my career
- Cybersecurity and cyberattacks
- A network can be modeled by a (dynamical) graph
- Anomaly Detection, the State-of-the-Art
- Spectral Graph Analysis, a new approach for cybersecurity
- Experiments & Evaluation
- Future works



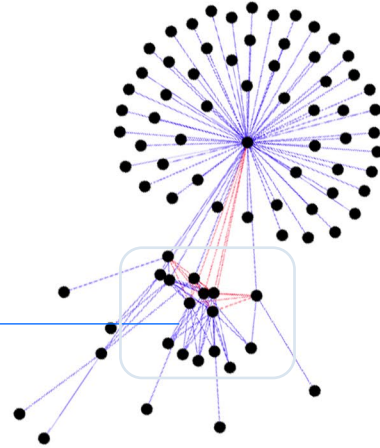
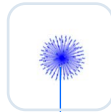
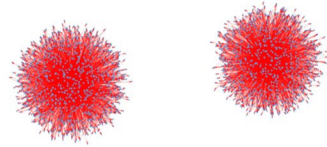
Cybersecurity against attacks



Graph represents a networks

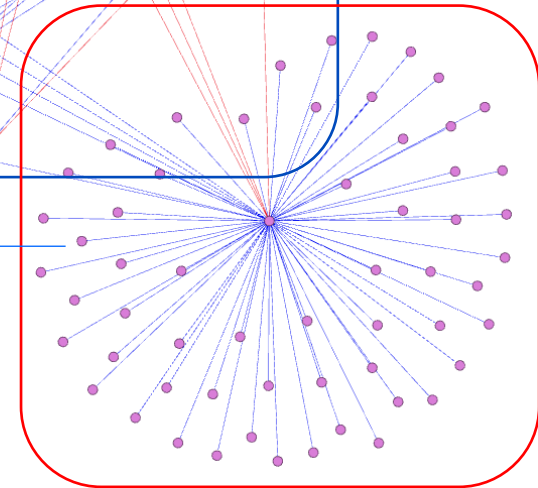
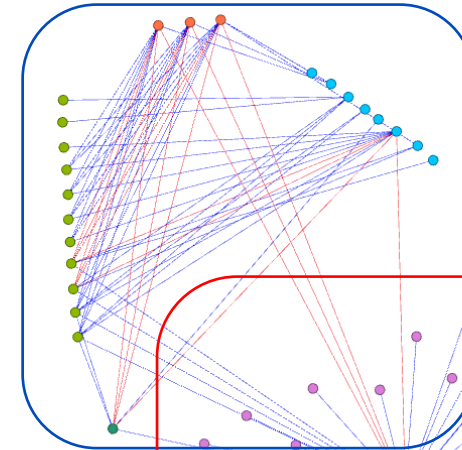


Identify patterns



Understand the network

Decompose different patterns



State-of-the-Art

1

Statistical Approaches

A real-time network anomaly-detector (ReTiNA)

Traditional systems use elementary statistics techniques and are often inaccurate

2

ML Approaches

CAMPLPAD model anomalies are assigned an outlier score
ML-based techniques are supervised algorithms

In network security, there are not much labeled data to train efficient classifiers

3

GCN Approaches

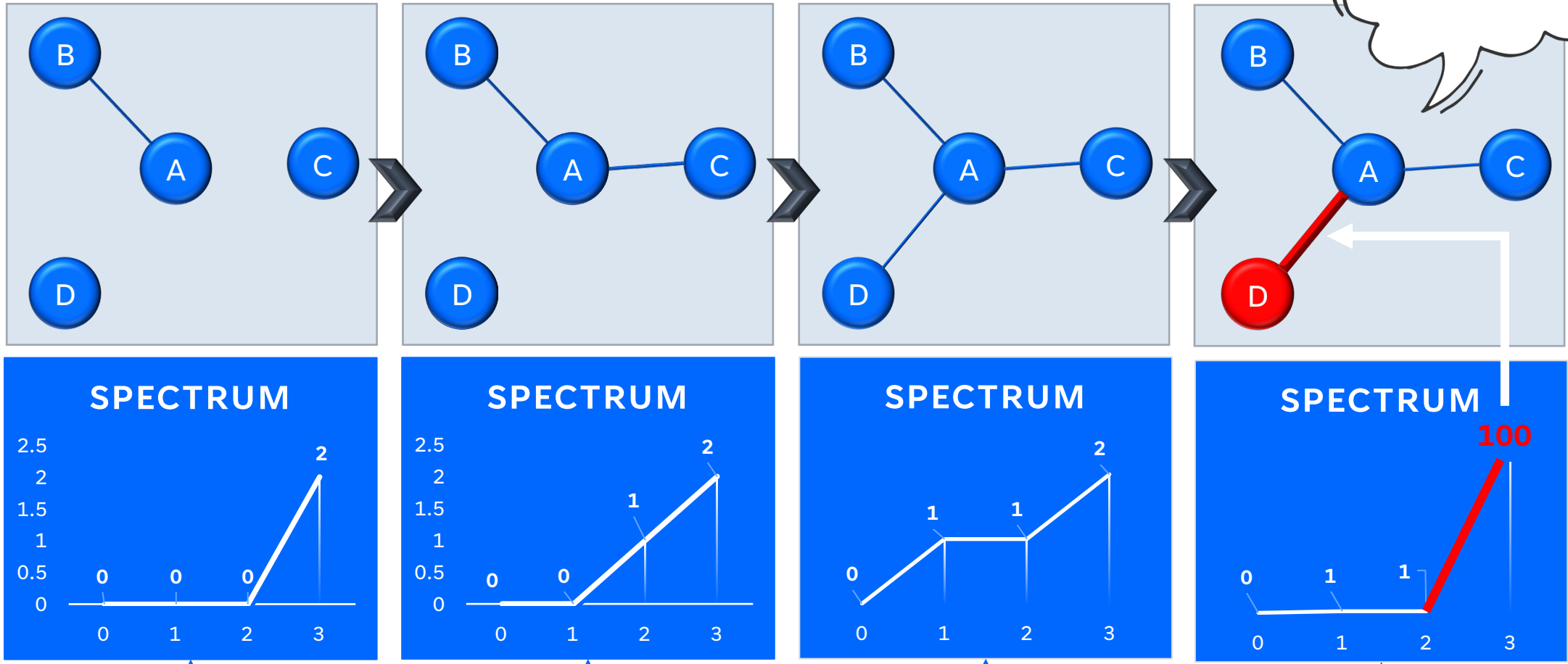
One of the best choice for graph data learning tasks

The Dynamic Graph Neural Networks (DGNNs) are known to be an interesting tool to detect anomalies in complex dynamic graphs

- Noble, J., Adams, N.: Real-time dynamic network anomaly detection. IEEE Intelligent Systems 33(2), 5–18 (2018)
- Hariharan, A., Gupta, A., Pal, T.: Camlpad: Cybersecurity autonomous machine learning platform for anomaly detection. In: Future of Information and Communication Conference. pp. 705–720. Springer (2020)
- Bowman, B., Huang, H.H.: Towards next-generation cybersecurity with graph ai. ACM SIGOPS Operating Systems Review 55(1), 61–67 (2021)
- Weifeng Liu, Sichao Fu, Yicong Zhou, Zheng-Jun Zha, and Liqiang Nie. Human activity recognition by manifold regularization based dynamic graph convolutional networks. Neurocomputing, 444:217–225, 2021.



Why Spectral graph analysis?

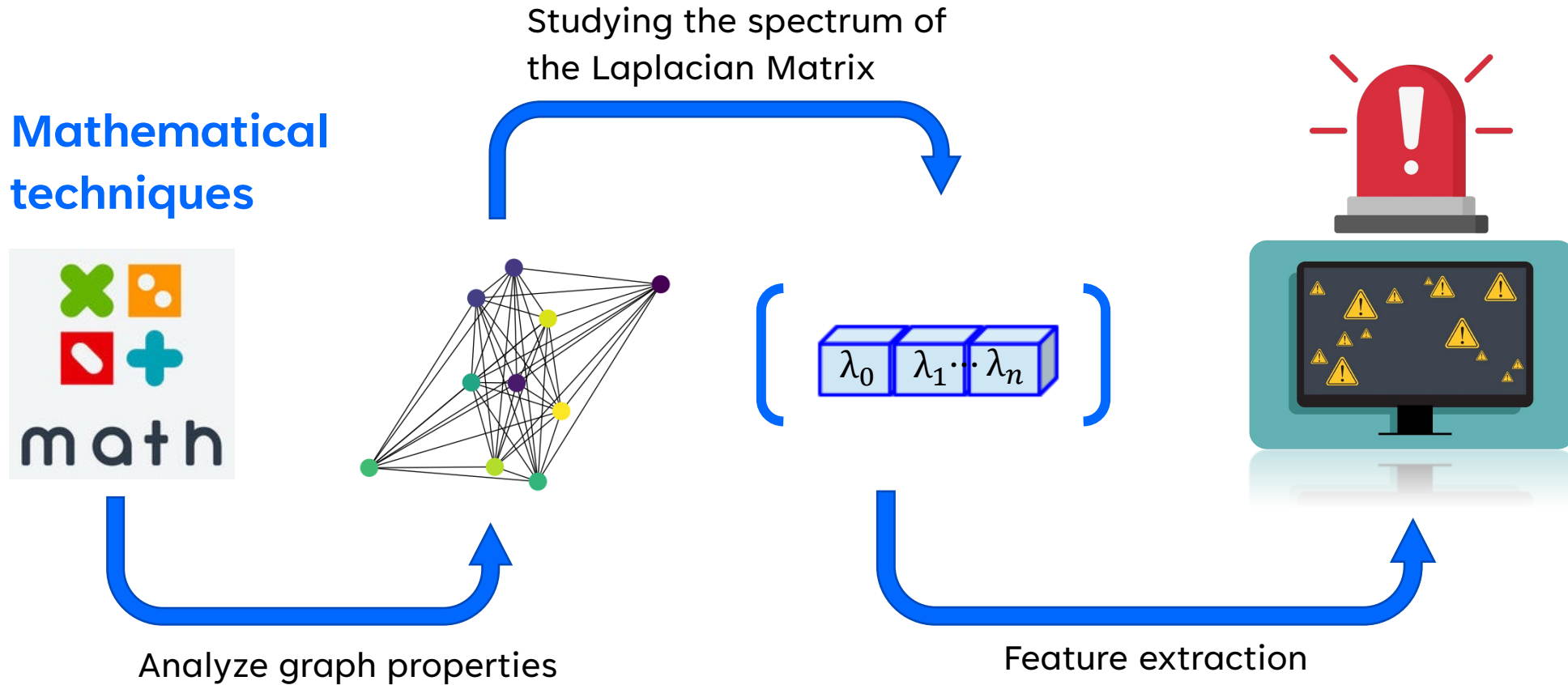


observe observe

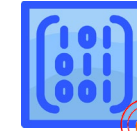
Need of Metrics

Quantify a threat

Spectral graph analysis



What type of matrix used?



The most commonly used matrix in spectral graph analysis is the **Laplacian matrix**.

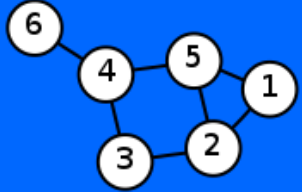
Laplacian
Matrix

Why Laplacian rather than other matrixes?

- ❖ Better spectral properties
- ❖ More robust to changes in the graph structure.
- ❖ The spectrum of the Laplacian matrix are used in various applications of spectral graph analysis, such as clustering, community detection, and graph partitioning.



Laplacian Matrix



$$L = D - A$$

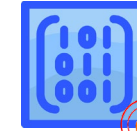
$$L = \begin{pmatrix} 2 & 0 & 0 & 0 & 0 & 0 \\ 0 & 3 & 0 & 0 & 0 & 0 \\ 0 & 0 & 2 & 0 & 0 & 0 \\ 0 & 0 & 0 & 3 & 0 & 0 \\ 0 & 0 & 0 & 0 & 3 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{pmatrix} - \begin{pmatrix} 0 & 1 & 0 & 0 & 1 & 0 \\ 1 & 0 & 1 & 0 & 1 & 0 \\ 0 & 1 & 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 & 1 & 1 \\ 1 & 1 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \end{pmatrix} = \begin{pmatrix} 2 & -1 & 0 & 0 & -1 & 0 \\ -1 & 3 & -1 & 0 & -1 & 0 \\ 0 & -1 & 2 & -1 & 0 & 0 \\ 0 & 0 & -1 & 3 & -1 & -1 \\ -1 & -1 & 0 & -1 & 3 & 0 \\ 0 & 0 & 0 & -1 & 0 & 1 \end{pmatrix}$$

$$A_{i,j} := \begin{cases} 1 & \text{if } i \neq j \text{ and } v_i \sim v_j \\ 0 & \text{otherwise} \end{cases}$$

$$D_{i,j} := \begin{cases} \deg(v_i) & \text{if } i = j \\ 0 & \text{otherwise} \end{cases}$$

$$L_{i,j} := \begin{cases} \deg(v_i) & \text{if } i = j \\ -1 & \text{if } i \neq j \text{ and } v_i \text{ is adjacent to } v_j \\ 0 & \text{otherwise,} \end{cases}$$

used?



Graph analysis is

other



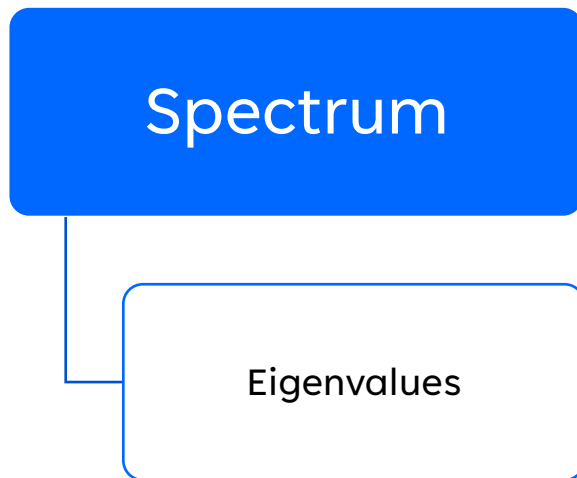
Graph structure.
Matrix are used in
graph analysis,
detection, and




What is a spectrum?

the spectrum refers to the set of **eigenvalues** of the **Laplacian matrix**.


$$\left(\lambda_0 \ \lambda_1 \ \dots \ \lambda_n \right)$$





If A is a square matrix and V is a column vector such that:

 $AV = \lambda V$

then

 V = Eigen vector of A

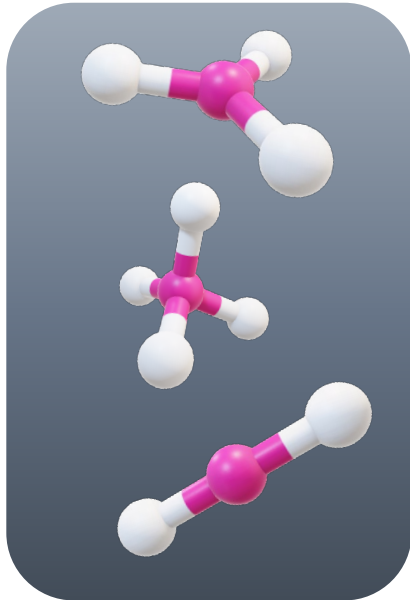
 λ = Eigen value of A

 λ = Eigen value of A

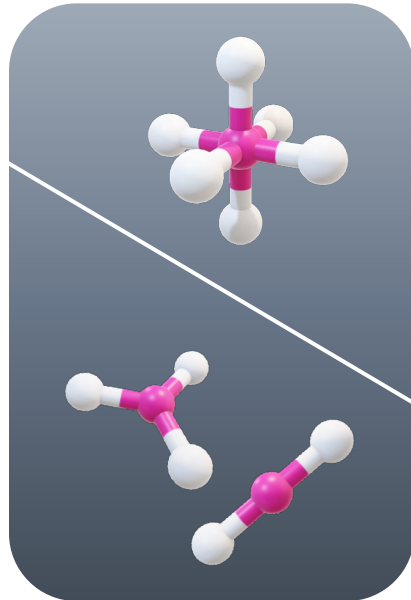


Spectrum Interesting eigenvalues

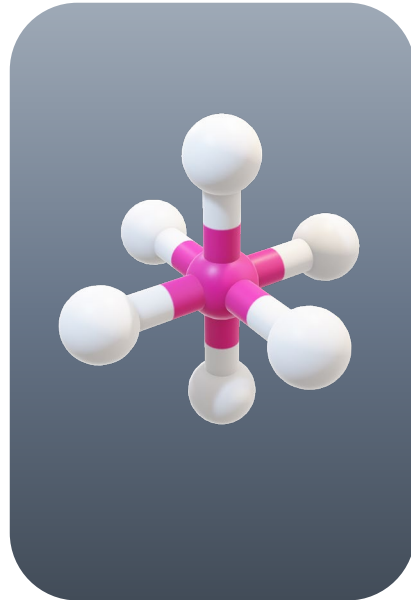
Zero eigenvalues



Algebraic connectivity



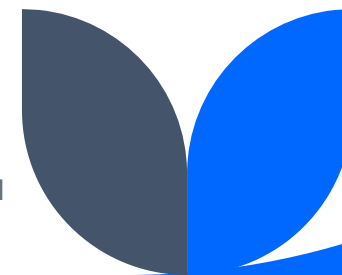
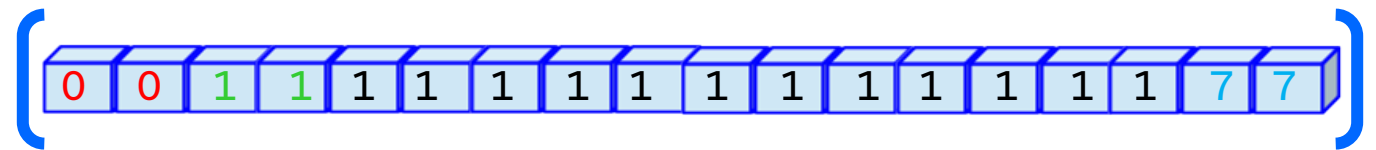
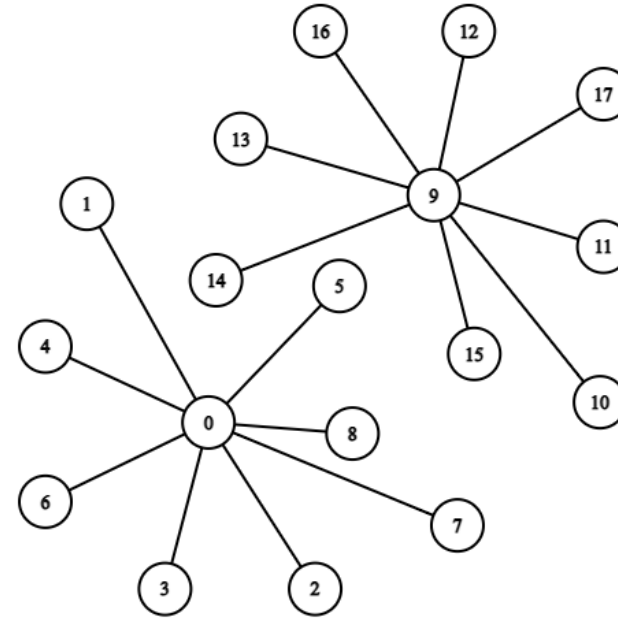
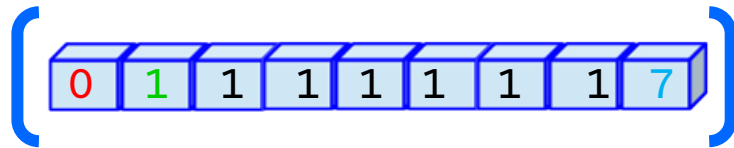
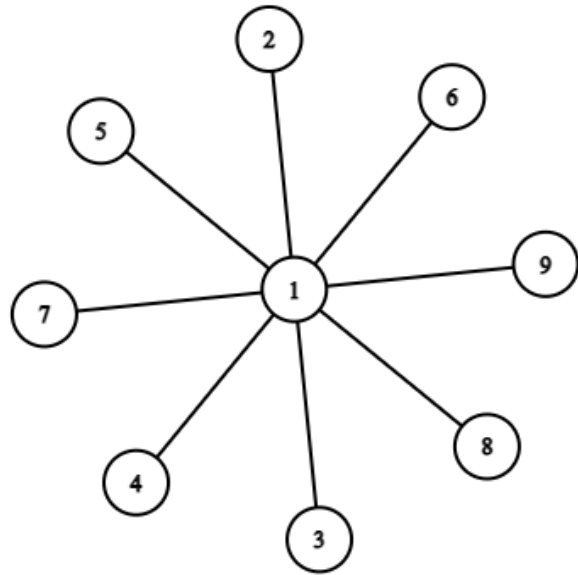
Largest eigenvalues



- De Abreu, N. M. M. (2007). Old and new results on algebraic connectivity of graphs. *Linear algebra and its applications*, 423(1), 53-73.

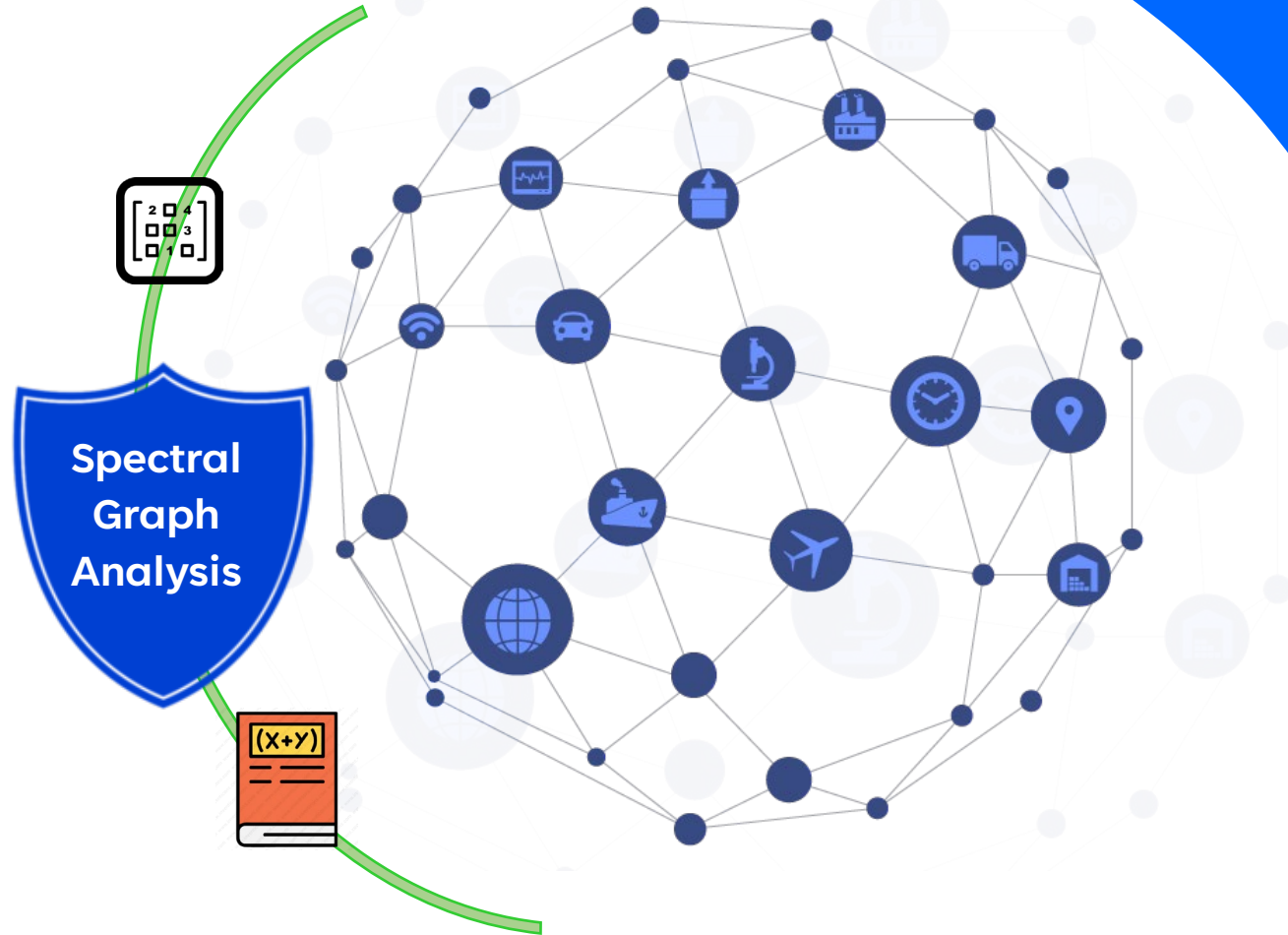
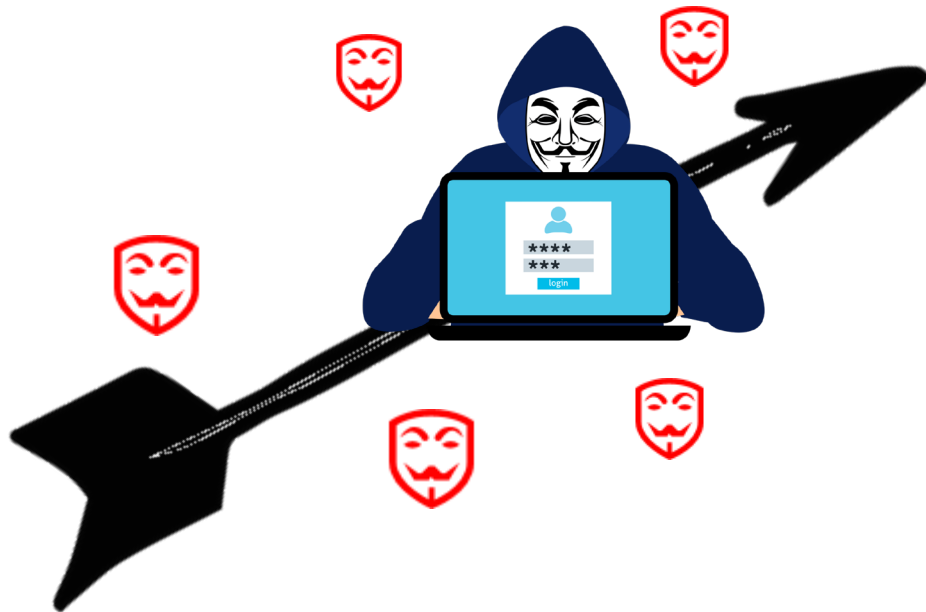
- Bauer, F., Jost, J.: Bipartite and neighborhood graphs and the spectrum of the normalized graph laplacian. *arXiv preprint arXiv:0910.3118* (2009)

Spectrum Interesting EV - Example

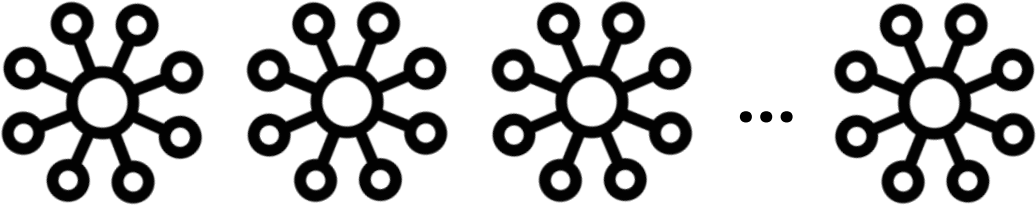


Research Question

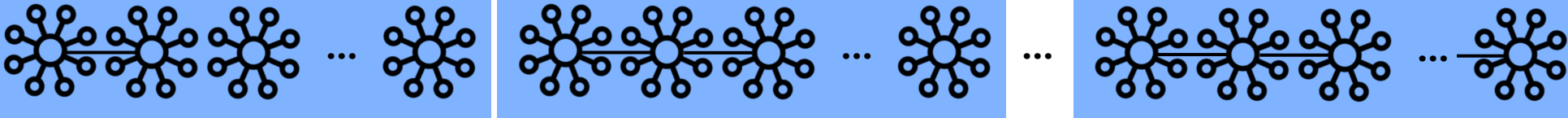
How can we benefit from spectral graph analysis to identify and detect cyberattacks over the network?



Dynamicity of graph



from graph to evolutions



Evolution 1

Evolution 2

Evolution n

L_g

L_g

L_g

Λ_L

Λ_L

Λ_L

$\mu_1, \mu_2, \mu_3, \mu_4$

$\mu_1, \mu_2, \mu_3, \mu_4$

$\mu_1, \mu_2, \mu_3, \mu_4$

Dynamic Metrics

Metric 1

Connectedness

- Increases when interconnections occur in the network.

Metric 2

Flooding

- This metric is influenced by the occurrence of connections as well as the weight of those connections.

Metric 3

Wiringness

- It always increases when connections occur and its slope across time depends on the packets sizes.

Metric 4

Asymmetry

- It corresponds to the number of variations of $\Lambda(t)$ and the symmetry of the graph

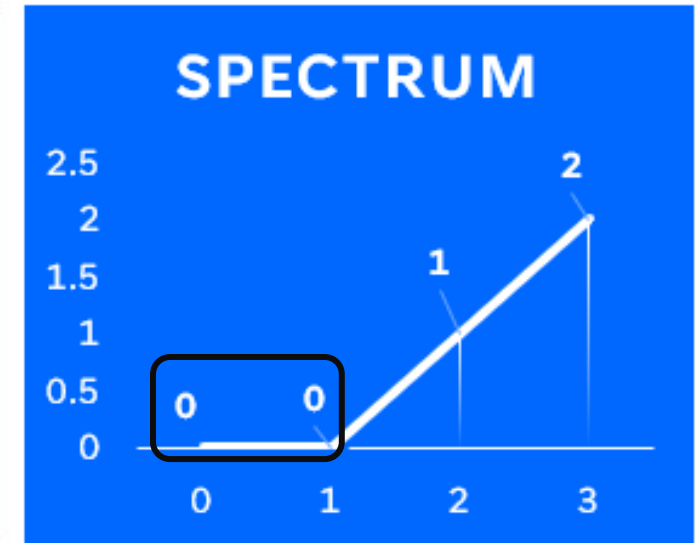
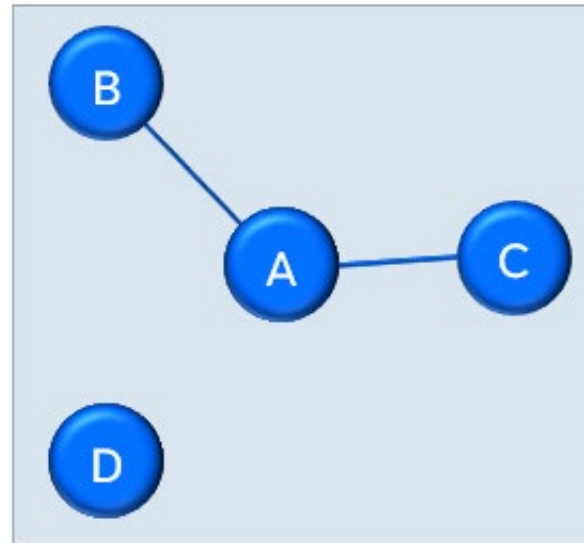
Metric 1 - Connectedness

$$\mu_1(t) = \frac{\exp \frac{1}{Z(t)}}{\exp(1)}$$

$Z(t)$ number of zeros in the spectrum.

$$\lim_{Z(t) \rightarrow \infty} \mu_1 = e^{-1}$$

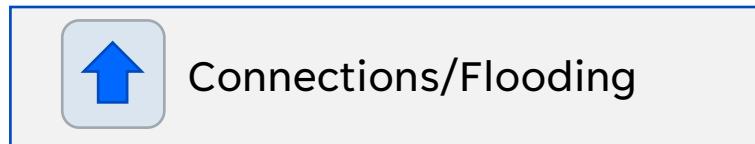
$$\lim_{Z(t) \rightarrow 1} \mu_1 = 1$$



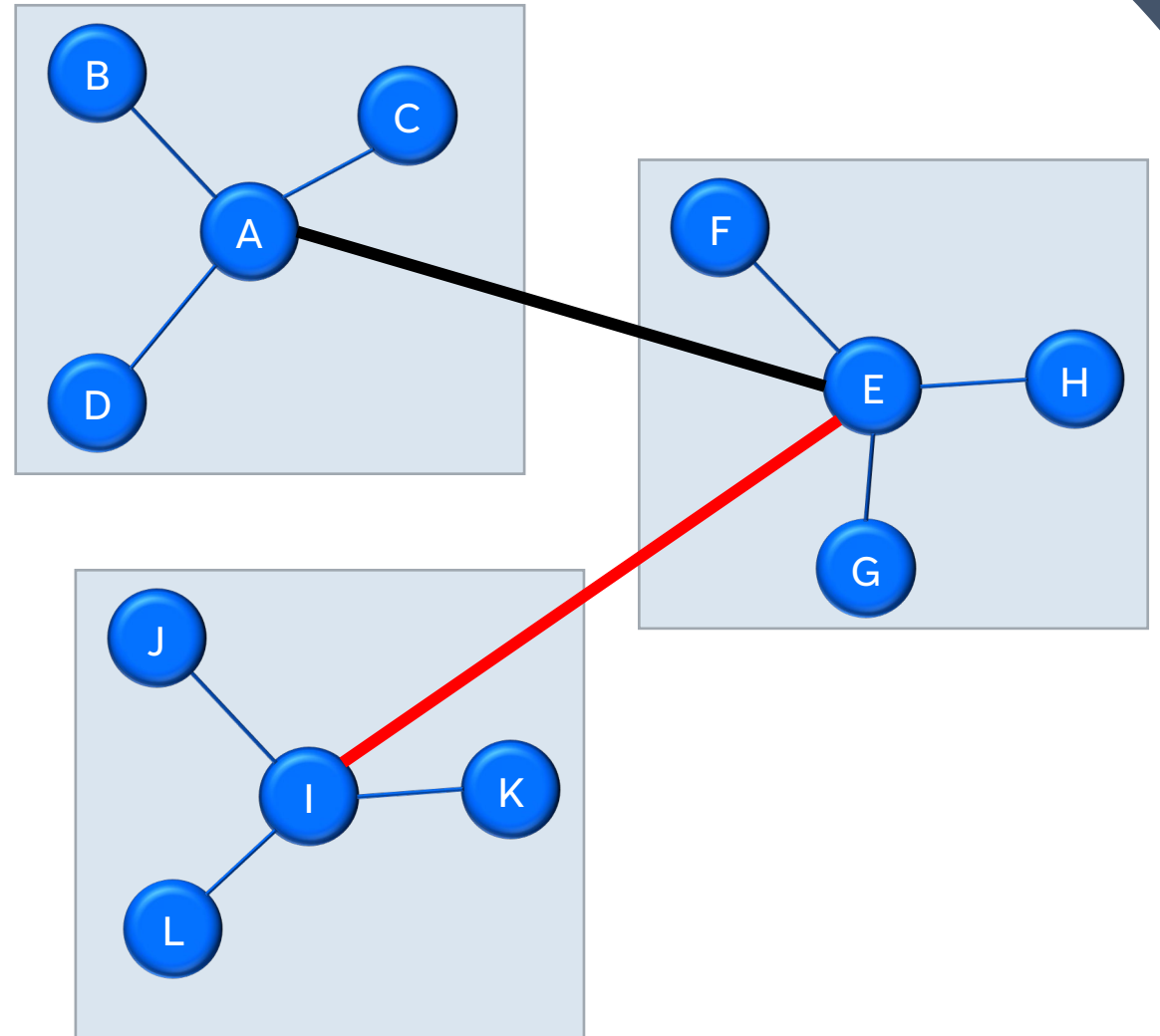
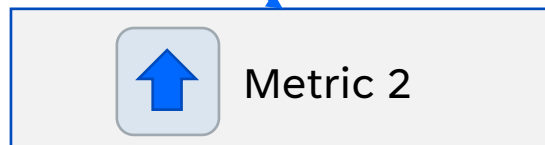
Metric 2 - Flooding

$$\mu_2(t) = \sum_{p=2}^{\mathcal{N}} (\exp^{\lambda_p(t)} - 1)$$

\mathcal{N} is the number of servers/hubs



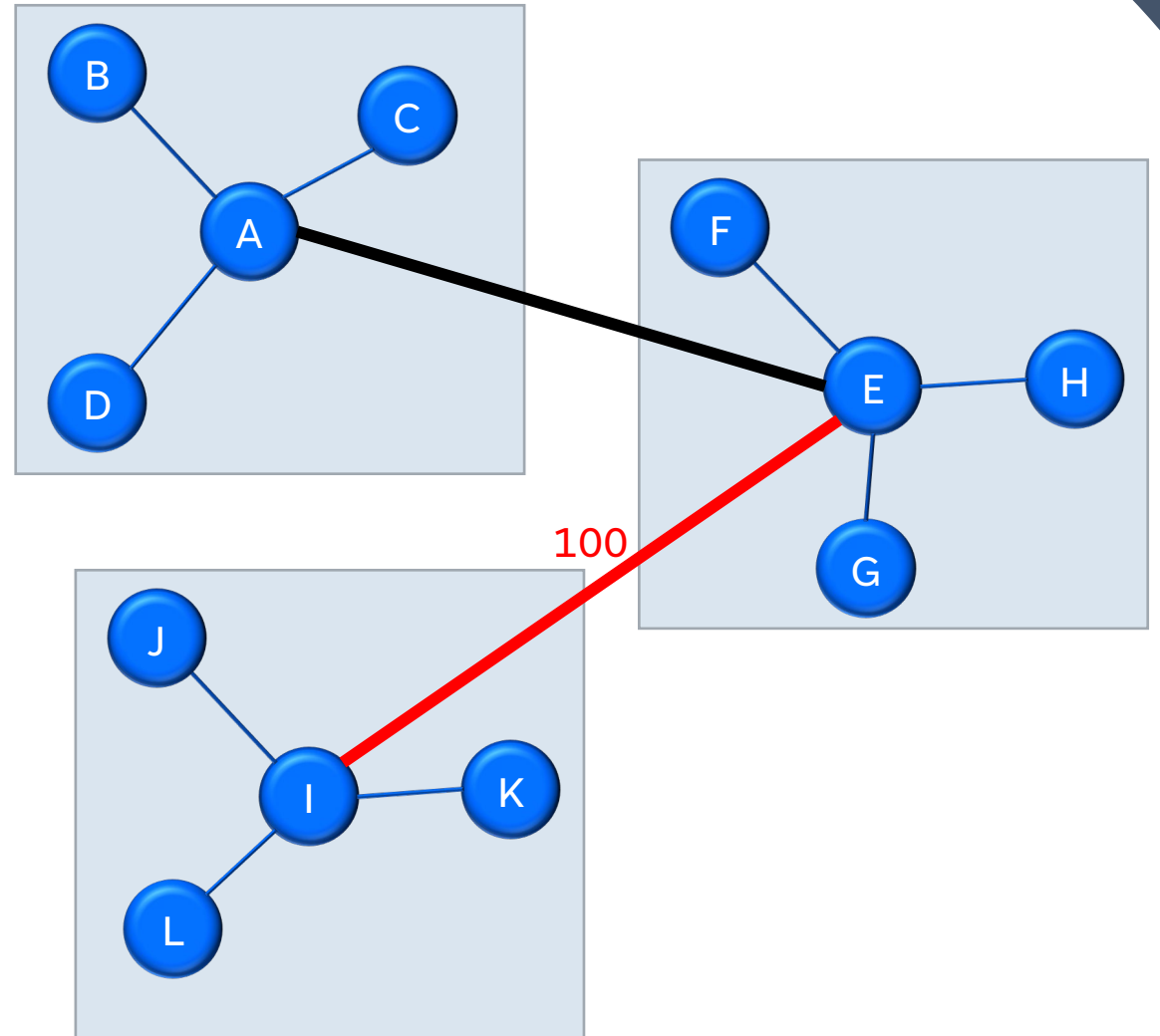
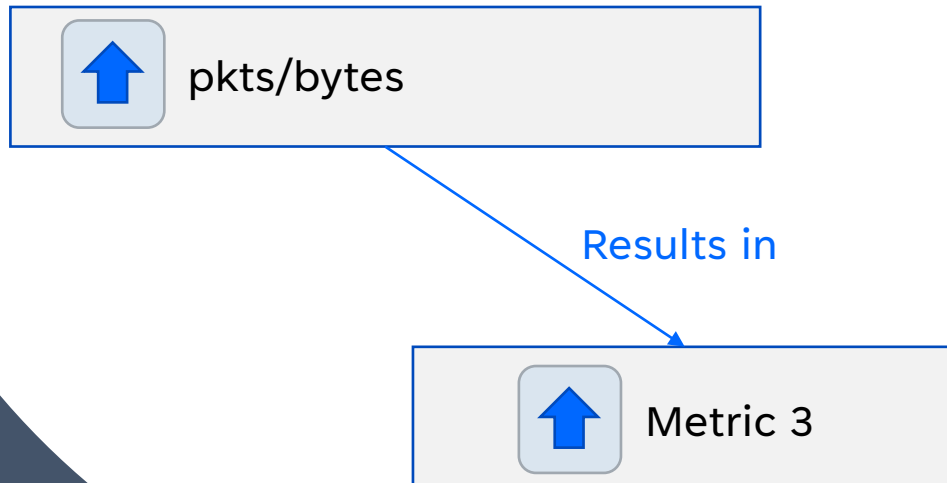
Results in



Metric 3 - Wiriness

$$\mu_3(t) = \sum_{p=n-\mathcal{N}+1}^{p=n} \lambda_p(t)$$

\mathcal{N} is the number of servers/hubs



Metric 4 - Asymmetry

$$\mu_4(t) = \#\{k \in [2, n] ; \Lambda(t)[k] - \Lambda(t)[k - 1] > \varepsilon\}$$

with $\varepsilon = 10^{-12}$

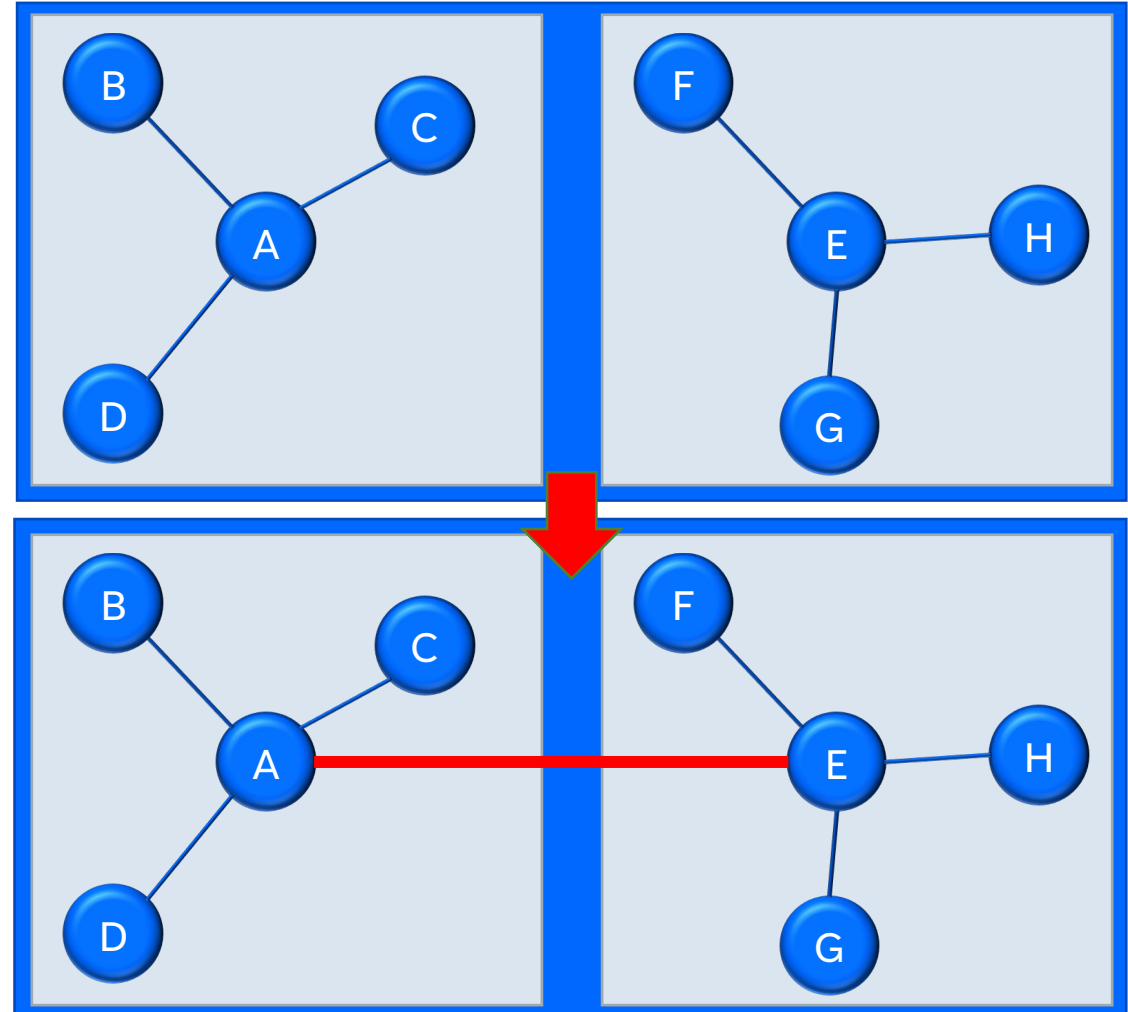


Identical patterns/symmetry

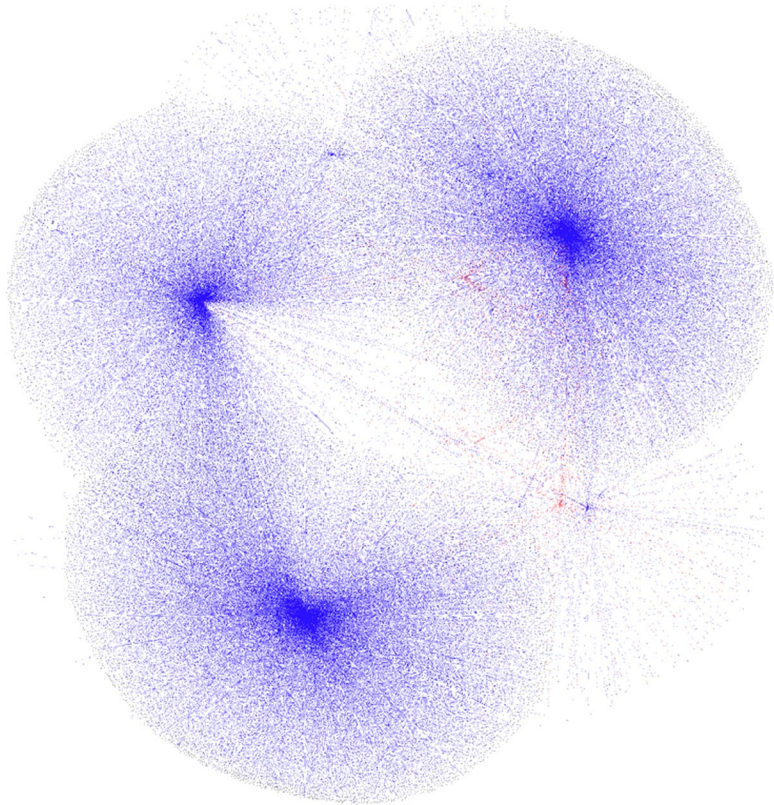
Results in



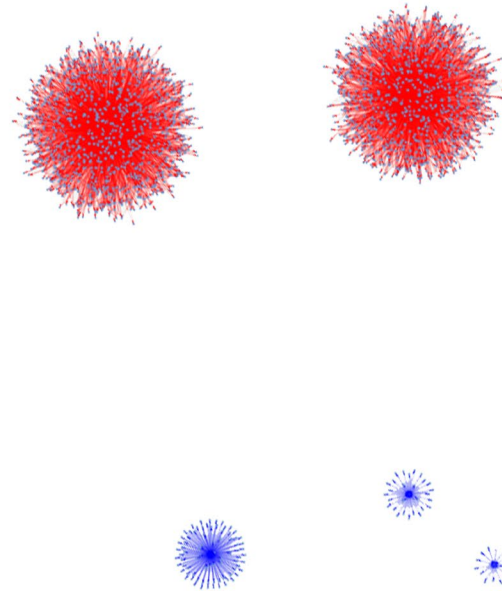
Metric 4



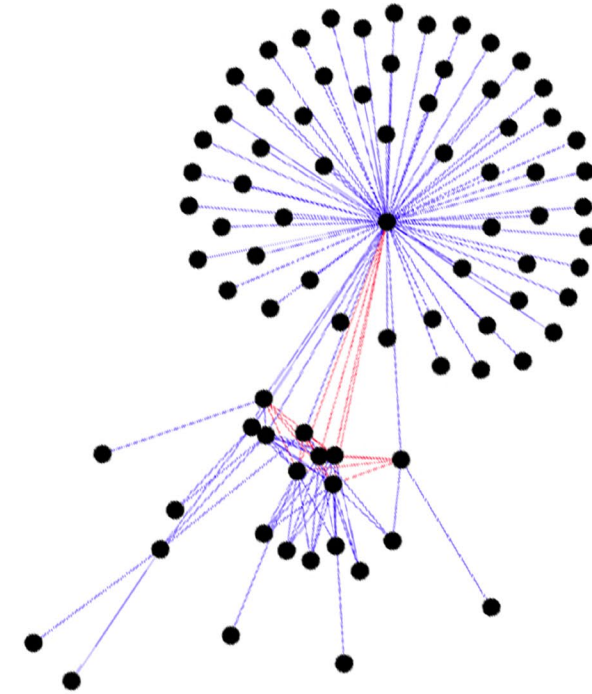
Implementation and datasets



Ton IoT



Healthcare IoT



Botnet IoT

[Boo+21] Tim M Booij et al. "ToN_IoT: The role of heterogeneity and the need for standardization of features and attack types in IoT network intrusion data sets". In: IEEE Internet of Things Journal 9.1 (2021), pp. 485–496.

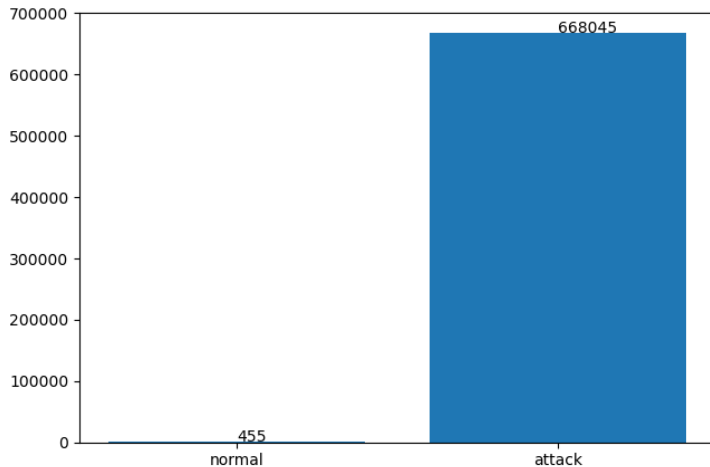
[Kor+19] Nickolaos Koroniotis et al. "Towards the development of realistic botnet dataset in the internet of things for network forensic analytics: Bot-iot dataset". In: Future Generation Computer Systems 100 (2019), pp. 779–796.

[hussain2021iot] Hussain, F., Abbas, S. G., Shah, G. A., Pires, I. M., Fayyaz, U. U., Shahzad, F., ... & Zdravevski, E. (2021). IoT Healthcare Security Dataset. IEEE Dataport.



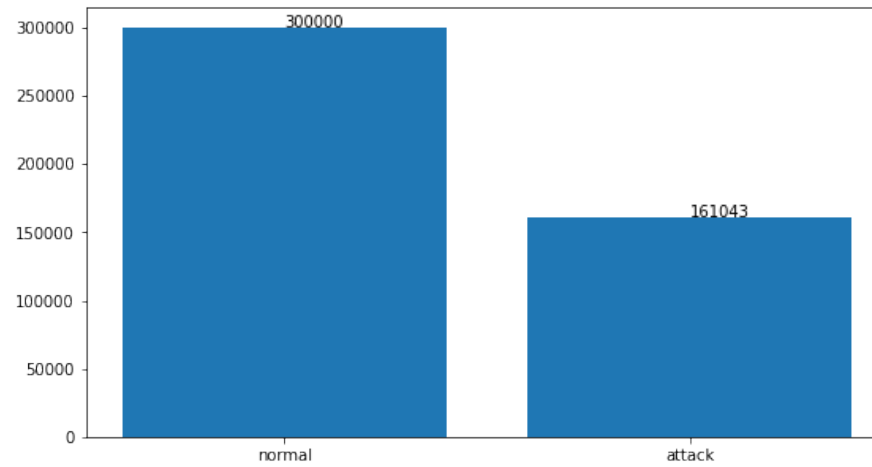
Attack analysis

Botnet IoT dataset



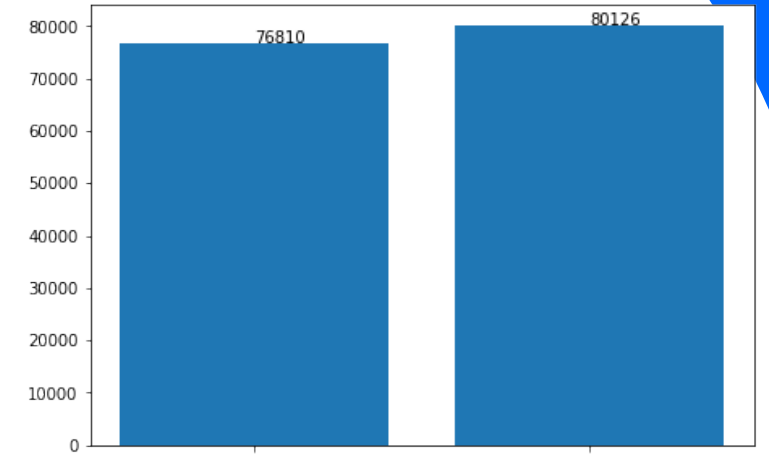
Attack label of bot-iot dataset

Ton IoT dataset

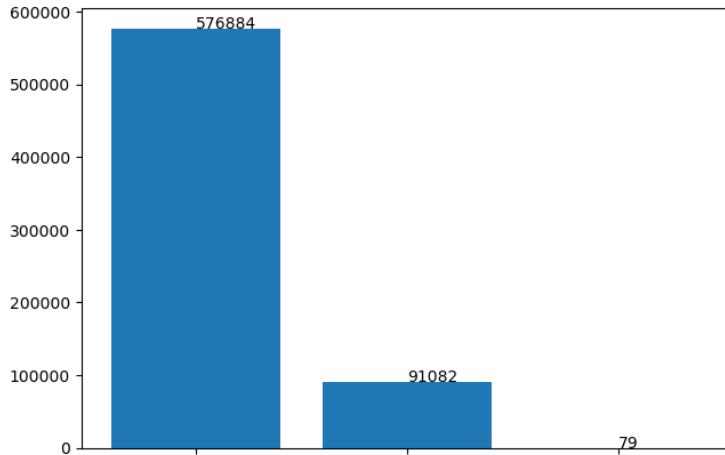


Binary label of ton-iot dataset

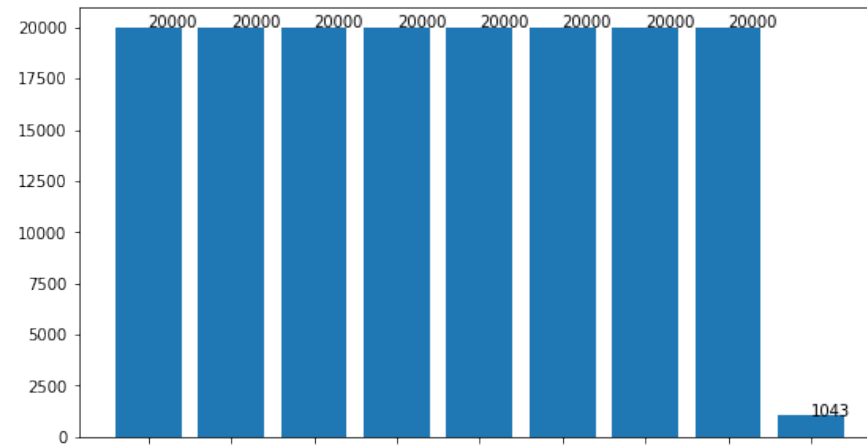
IoT Healthcare Security Dataset



Binary label of Healthcare security dataset



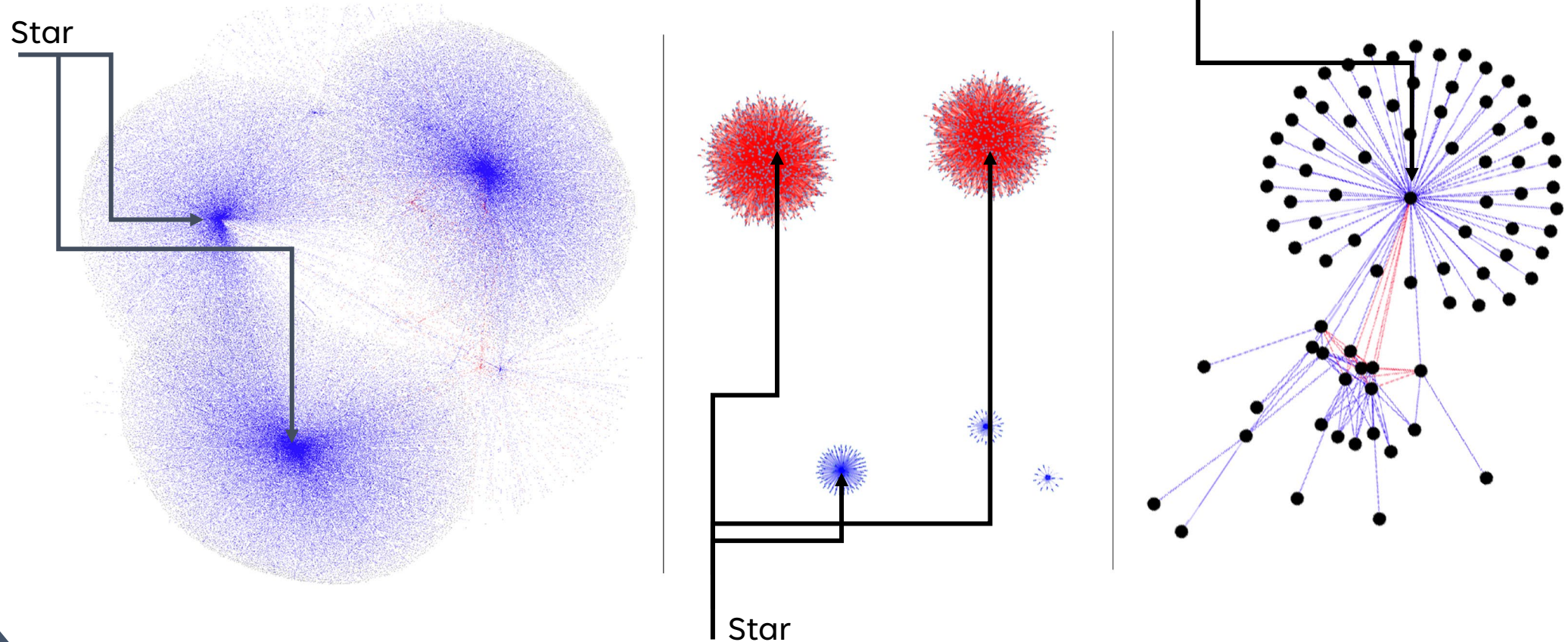
Attack Categories of bot-iot dataset



Attack Categories of ton-iot dataset

Network patterns

First step for detection



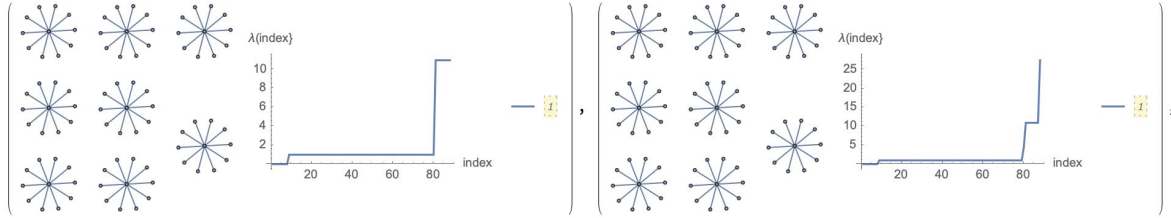
[Boo+21] Tim M Booij et al. "ToN_IoT: The role of heterogeneity and the need for standardization of features and attack types in IoT network intrusion data sets". In: IEEE Internet of Things Journal 9.1 (2021), pp. 485–496.

[Kor+19] Nickolaos Koroniotis et al. "Towards the development of realistic botnet dataset in the internet of things for network forensic analytics: Bot-iot dataset". In: Future Generation Computer Systems 100 (2019), pp. 779–796.

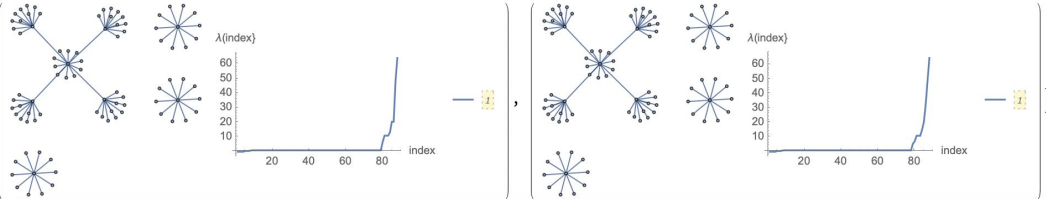
[hussain2021iot] Hussain, F., Abbas, S. G., Shah, G. A., Pires, I. M., Fayyaz, U. U., Shahzad, F., ... & Zdravevski, E. (2021). IoT Healthcare Security Dataset. IEEE Dataport.

First Methodology

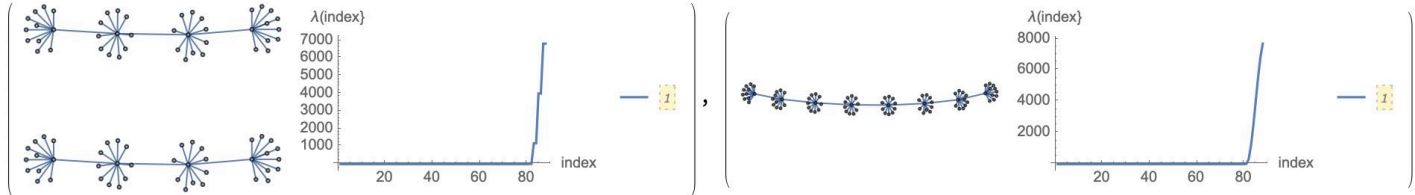
Starting with
Star graph topologies



Normal case scenario

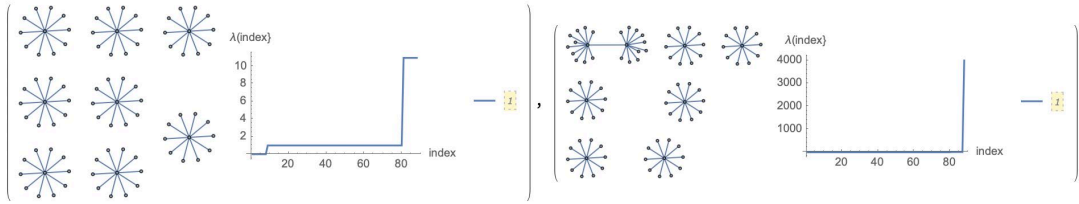


Suspicious case scenario
DoS/DDoS attack behavior

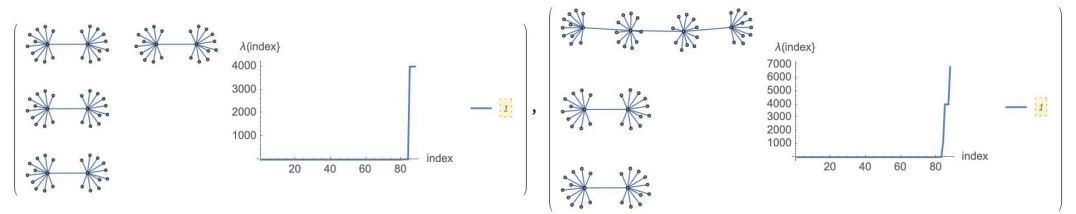


Experiments – Scenario 1 – Attack behavior

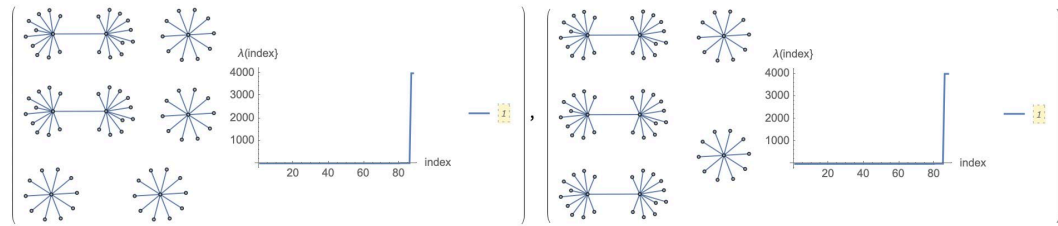
1



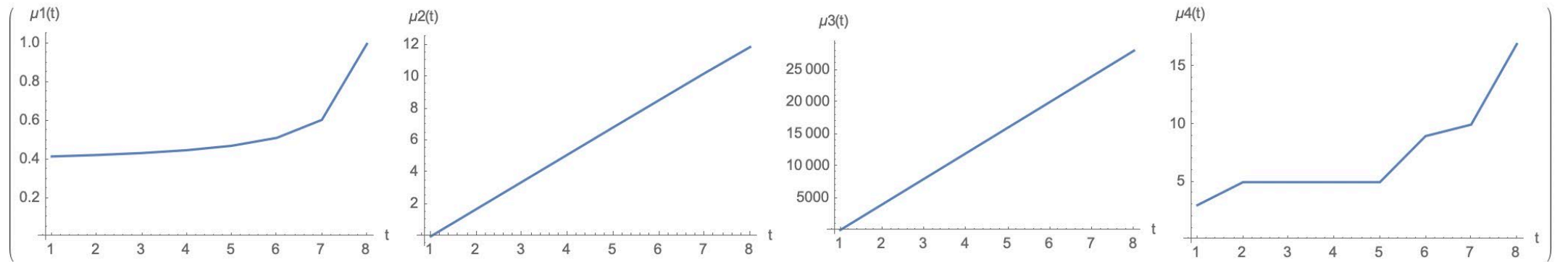
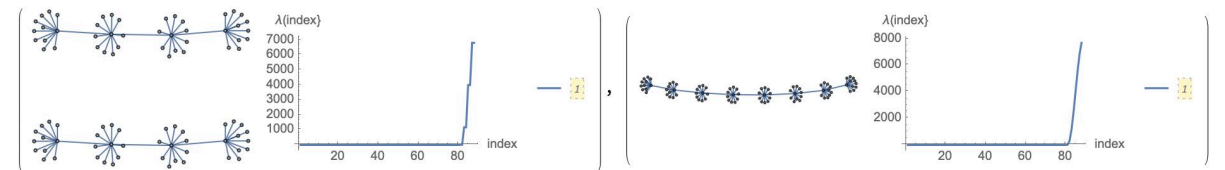
3



2

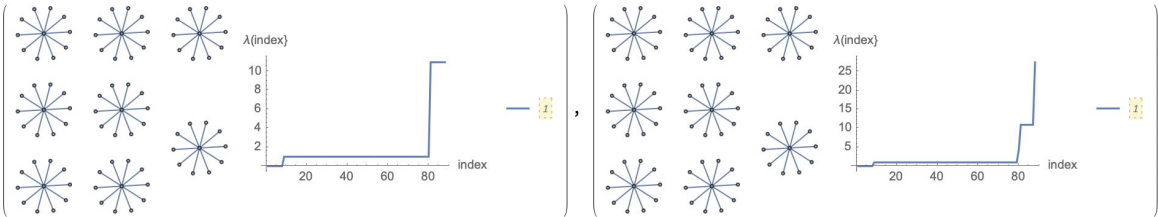


4

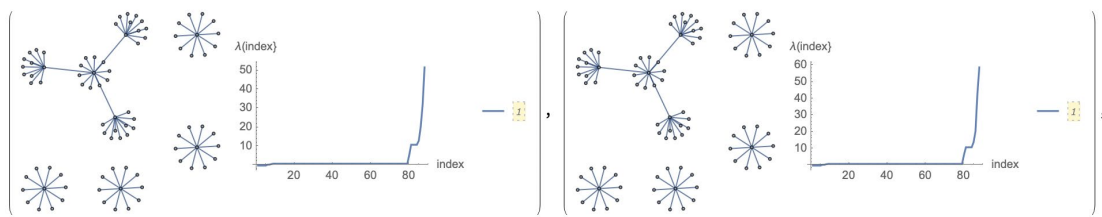


Experiments – Scenario 2 – Normal behavior

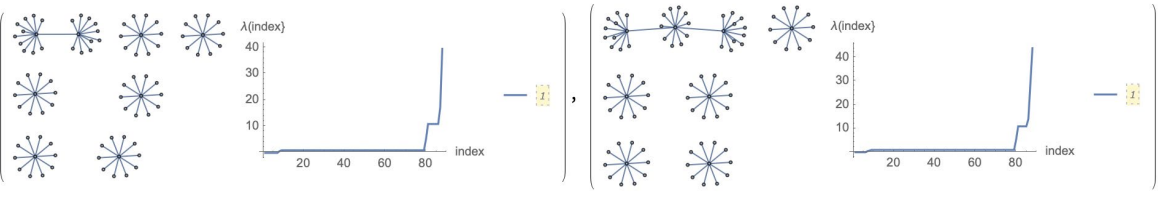
1



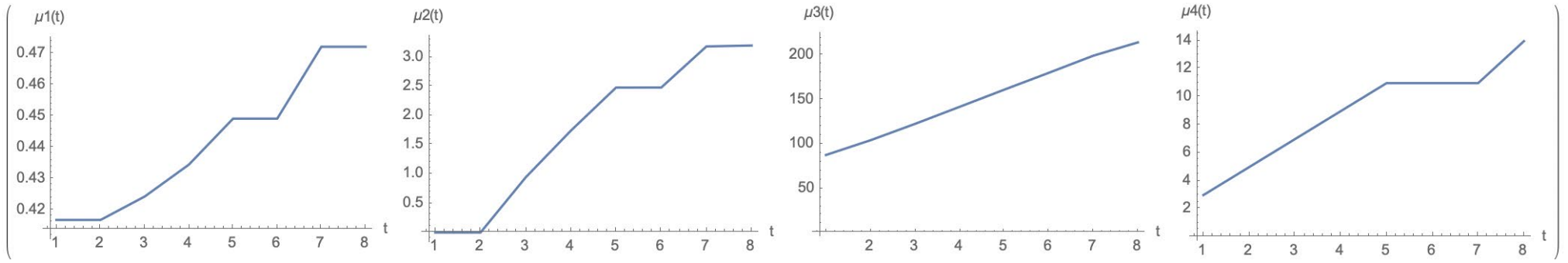
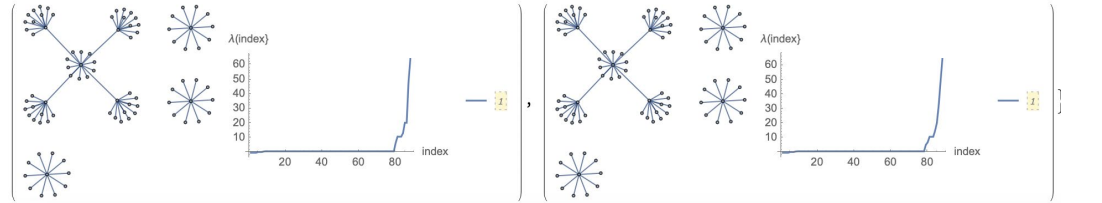
3



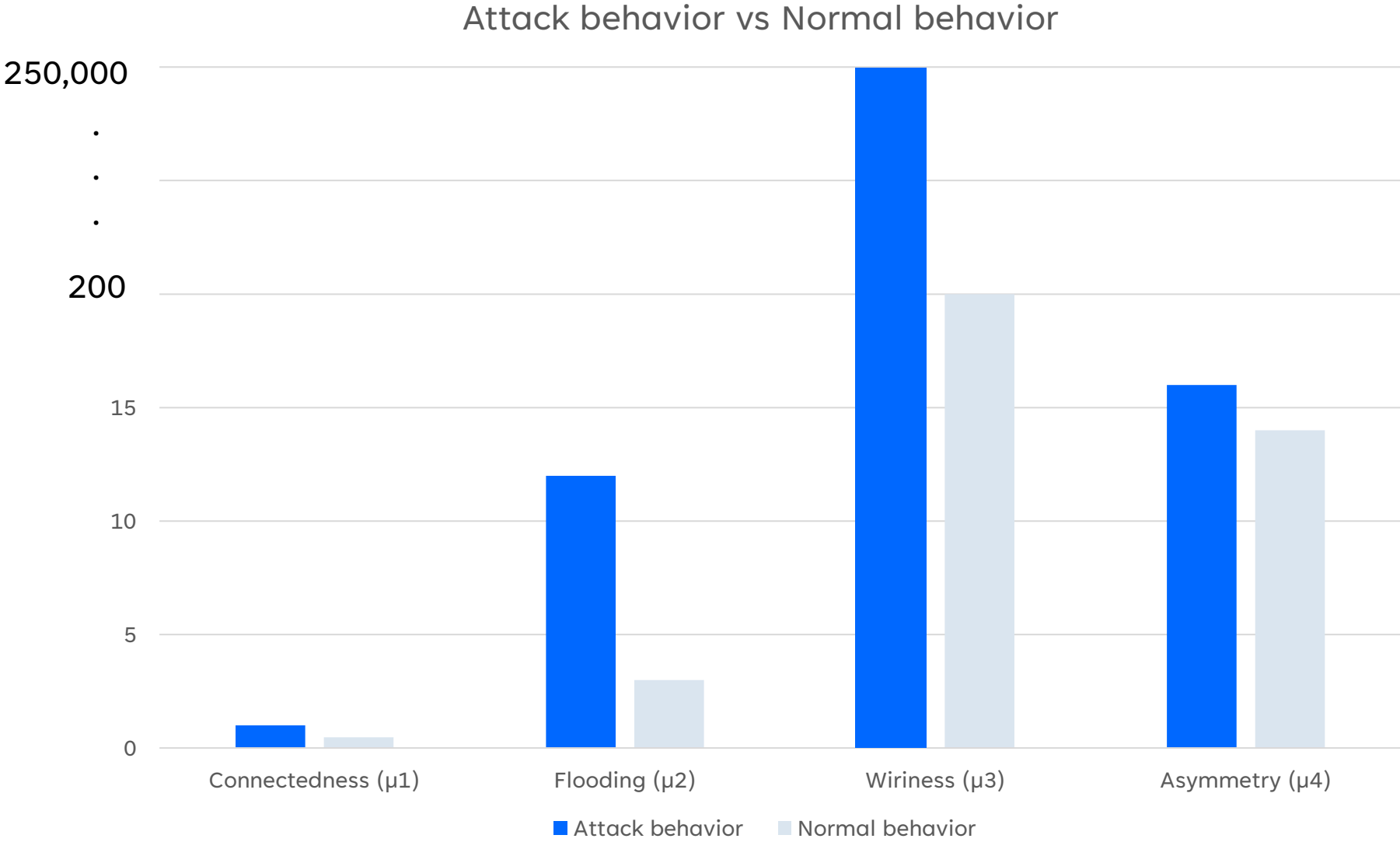
2



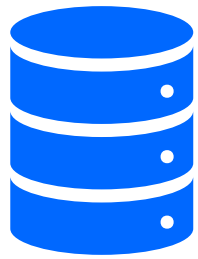
4



Experiments Evaluation



Metrics over real dataset



datasets

Apply metrics over datasets
Detect Suspicious behaviors



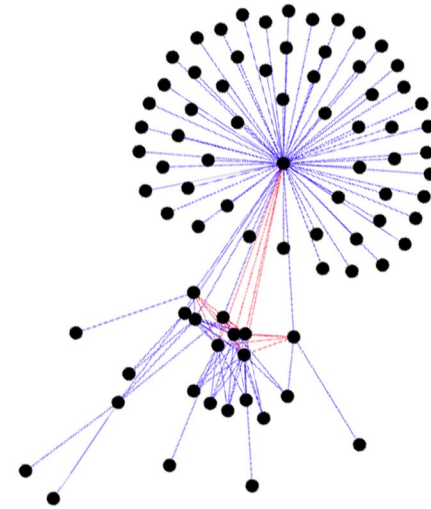
$\mu_1, \mu_2, \mu_3, \mu_4$

Connectedness

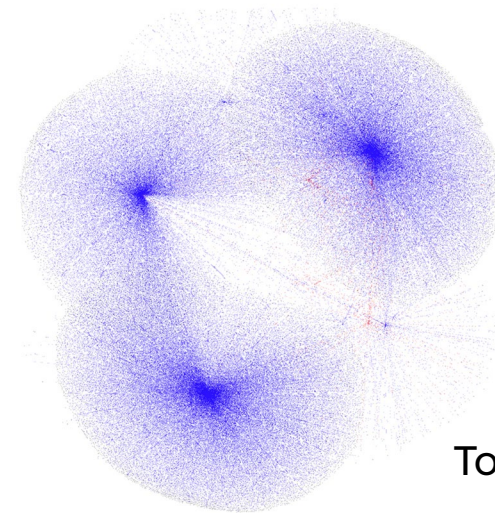
Flooding

Wiriness

Asymmetry



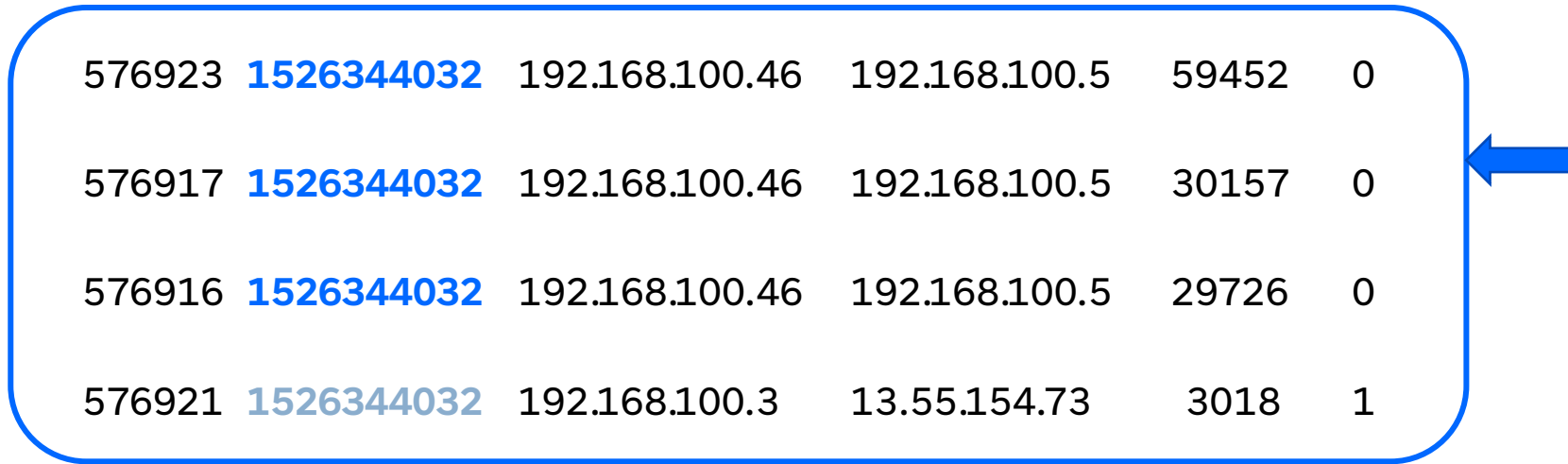
BotIoT graph representation



TonIoT graph representation

Challenges over real datasets

	stime	saddr	daddr	pkts	label
576923	1526344032	192.168.100.46	192.168.100.5	59452	0
576917	1526344032	192.168.100.46	192.168.100.5	30157	0
576916	1526344032	192.168.100.46	192.168.100.5	29726	0
576921	1526344032	192.168.100.3	13.55.154.73	3018	1
576884	1526344121	192.168.100.1	192.168.100.3	4	0

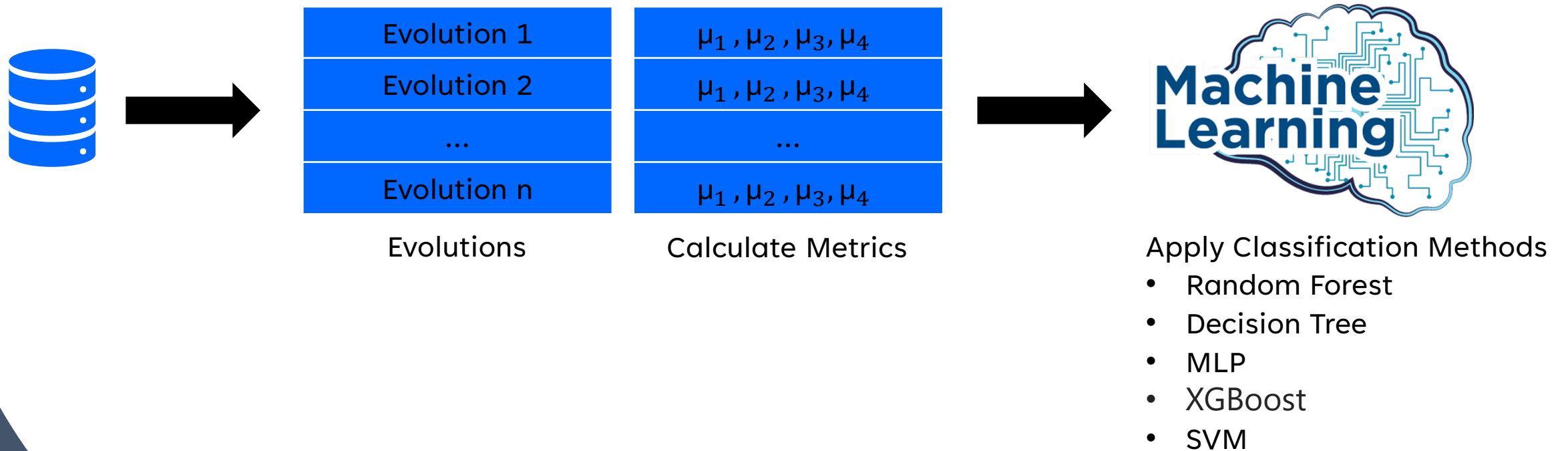


From dataset to timeseries

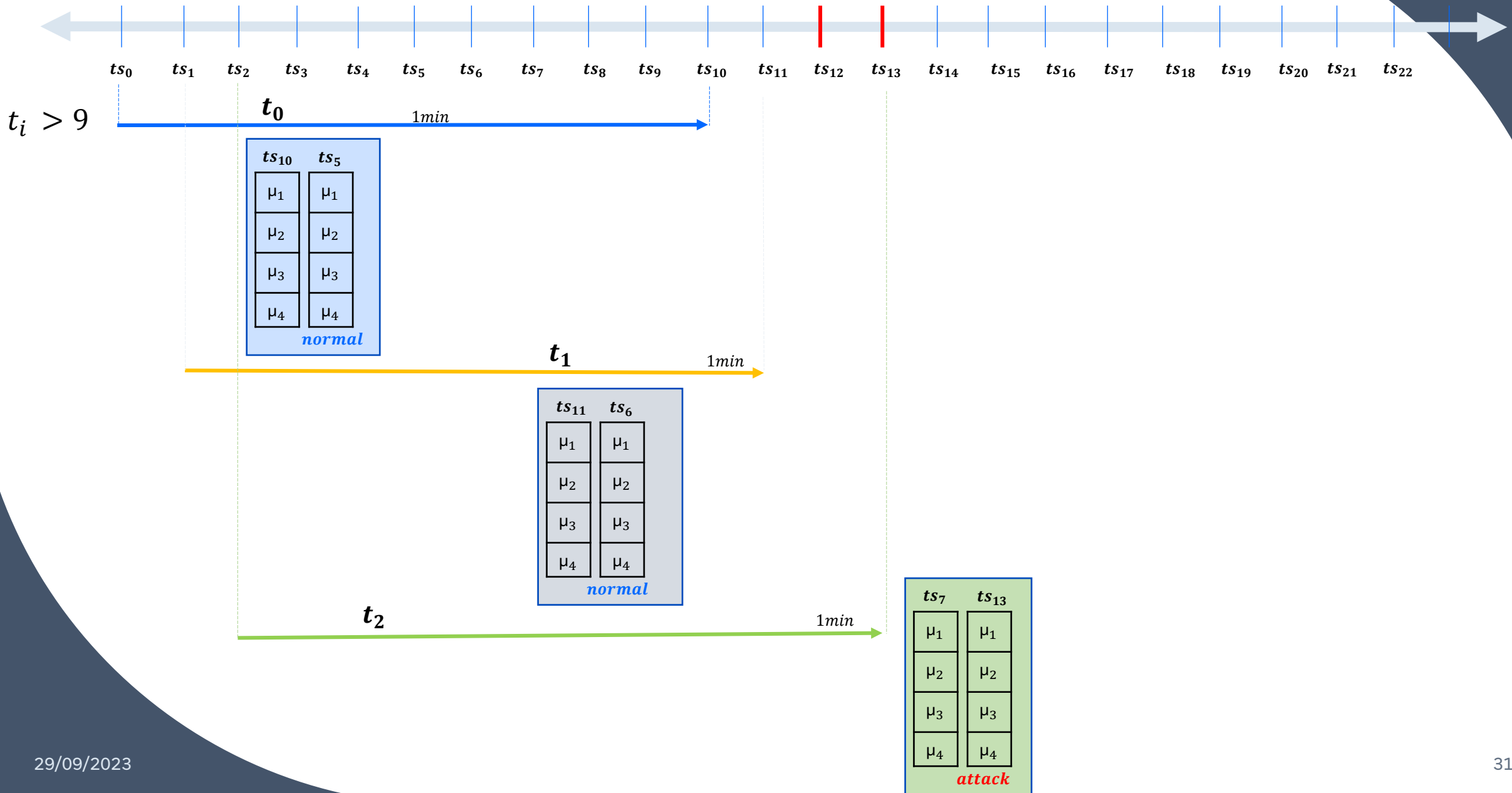
	stime	saddr	daddr	pkts	attack	weight	
Merge	576923	1526344032	192.168.100.46	192.168.100.5	59452	0	1
	576917	1526344032	192.168.100.46	192.168.100.5	30157	0	1
	576916	1526344032	192.168.100.5	192.168.100.3	29726	0	1
	576921	1526344033	192.168.100.7	13.55.154.75	3018	0	1
	576884	1526344121	192.168.100.1	192.168.100.3	4	0	1

	stime	saddr	daddr	pkts	attack	requests
0	1526344032	192.168.100.46	192.168.100.5	$\sum pkts = 89,609$	0	$\sum weight = 2$
		192.168.100.3	13.55.154.73	$\sum pkts = 29726$	0	1
1	1526344033	192.168.100.7	13.55.154.75	$\sum pkts = 3018$	0	1
2	1526344121	192.168.100.1	192.168.100.3	$\sum pkts = 4$	0	1

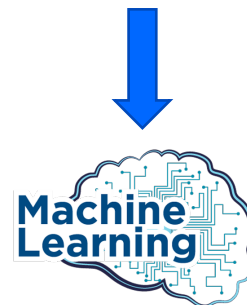
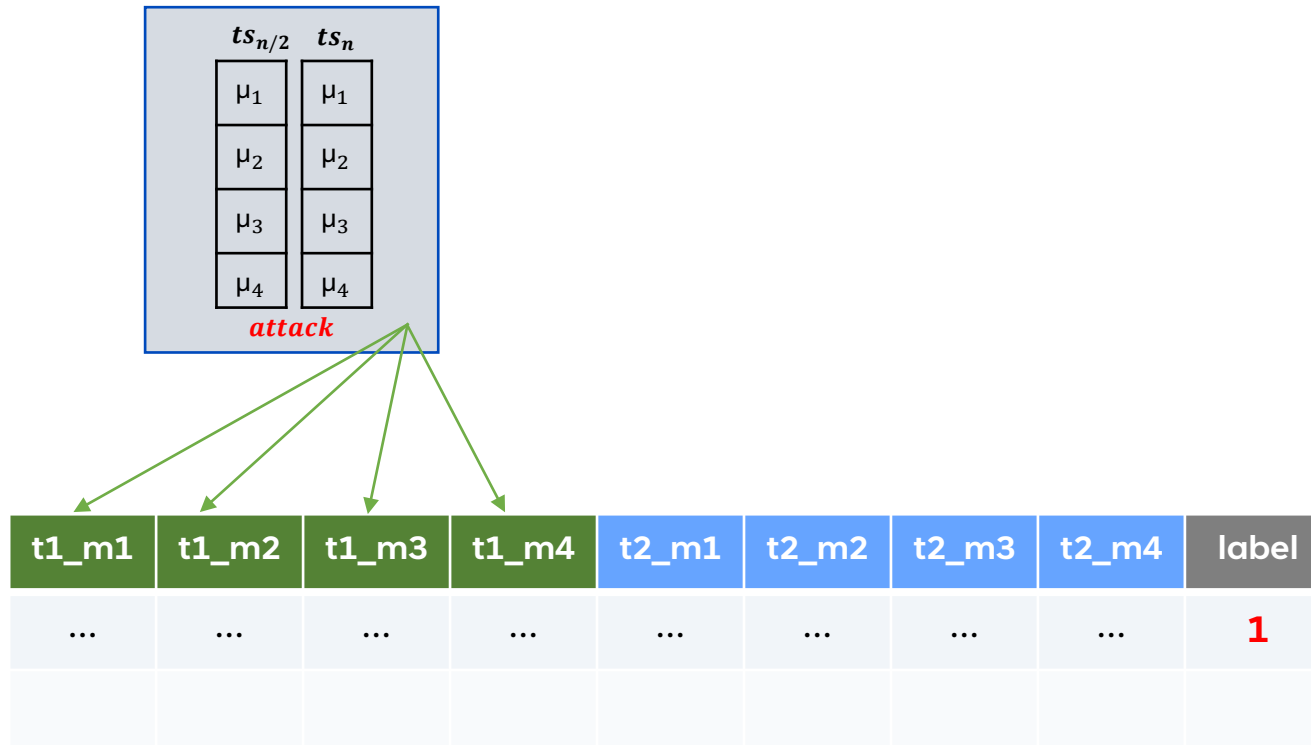
Methodology



Timeseries to Evolutions

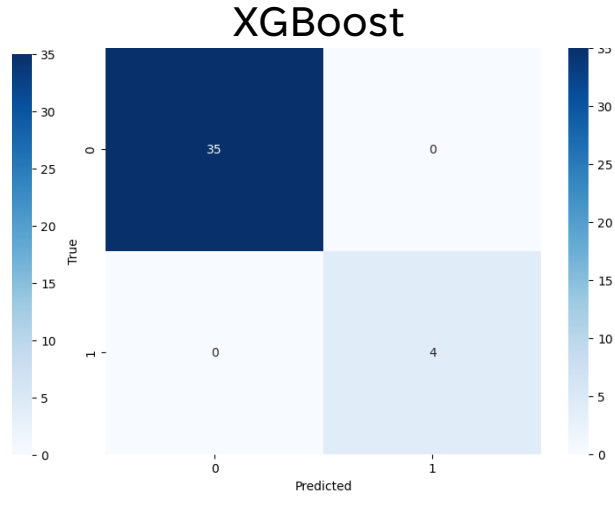
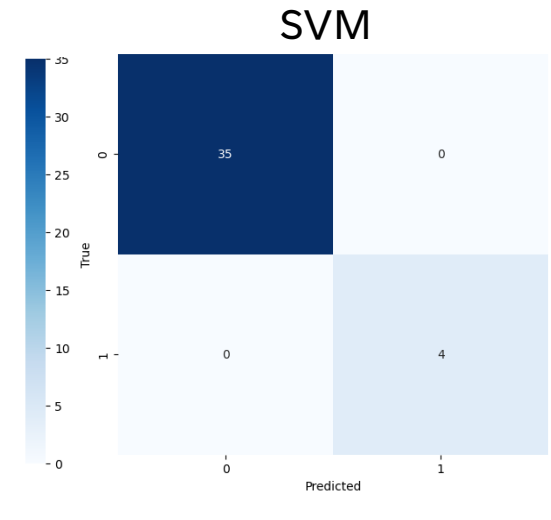
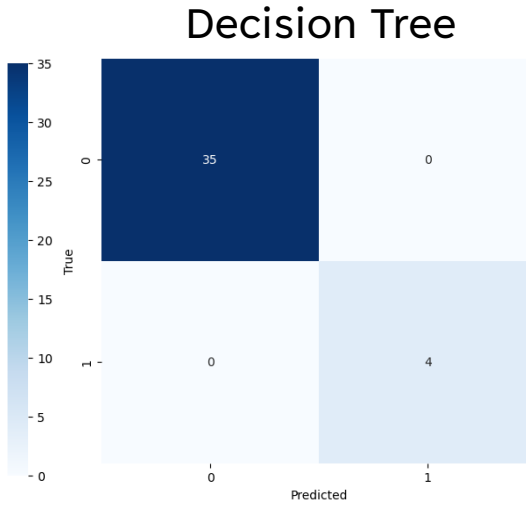
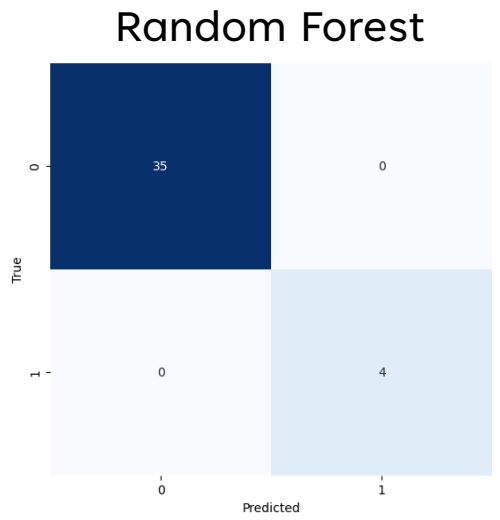
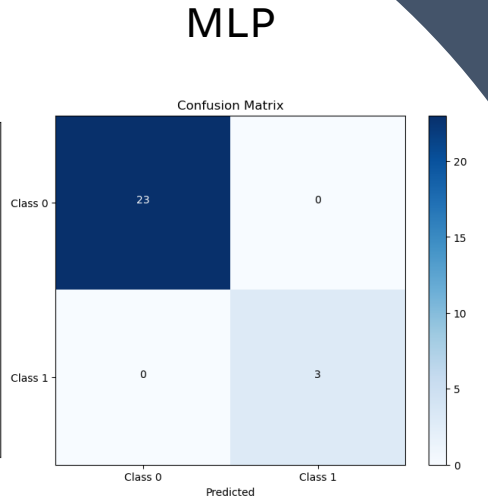
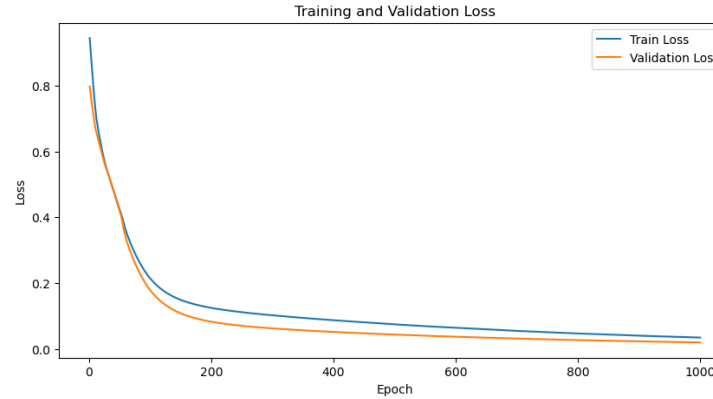
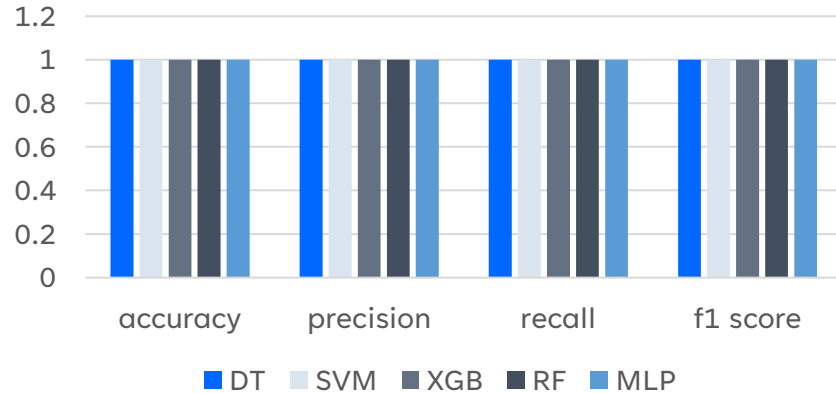


Train-Test data



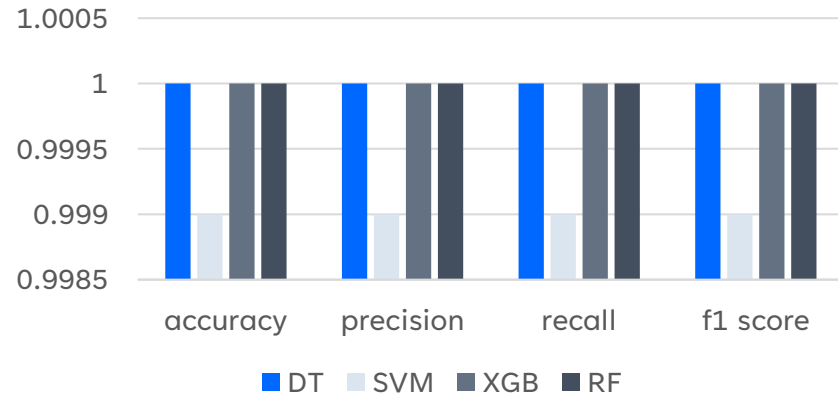
Evaluation – BotIoT dataset

Evaluation Metrics

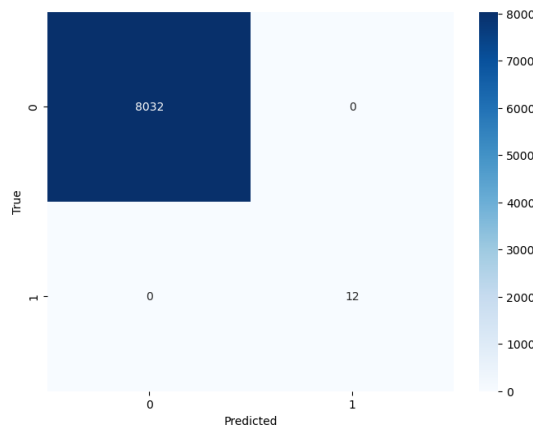


Evaluation – TonIoT dataset

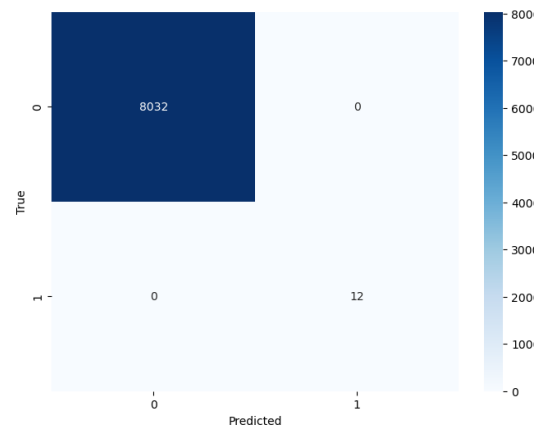
Evaluation Metrics



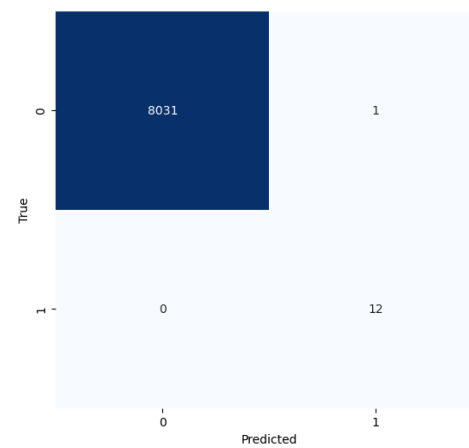
Random Forest



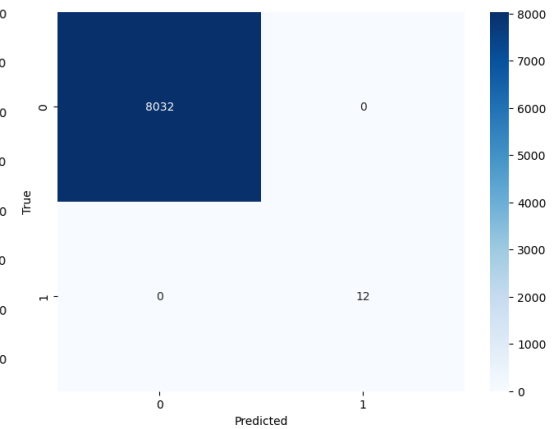
Decision Tree



SVM

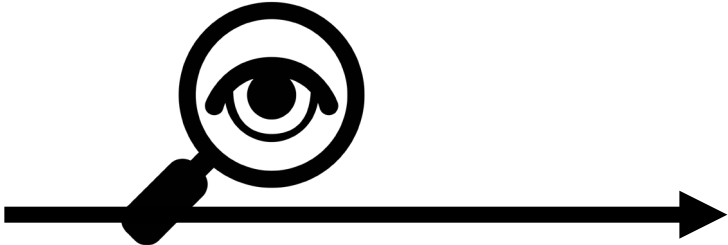


XGBoost

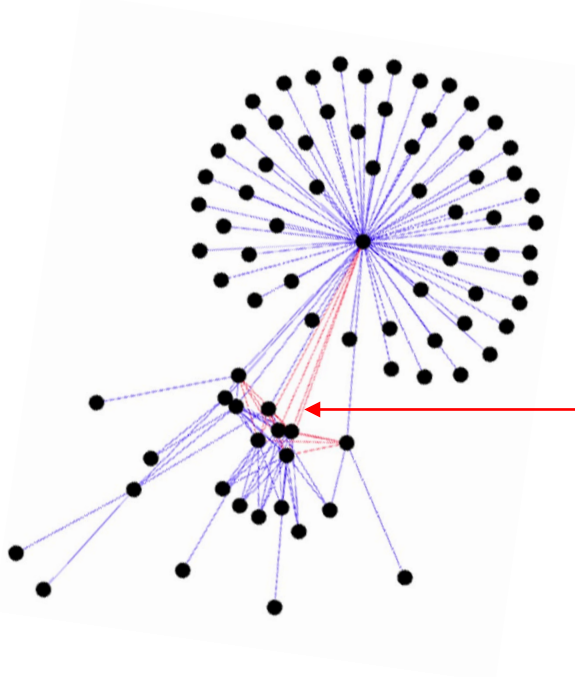


Achieved results

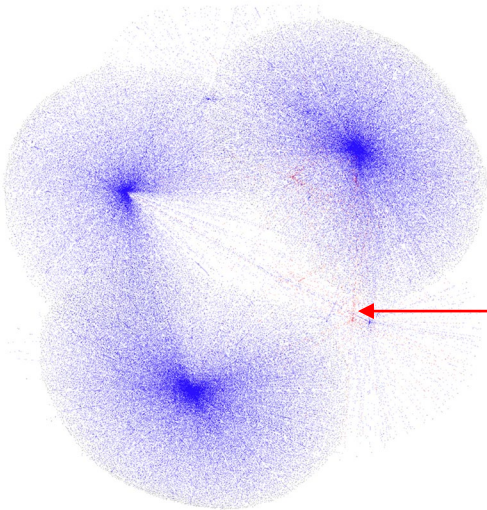
Metrics



Were able to detect attacks using our supposed metrics

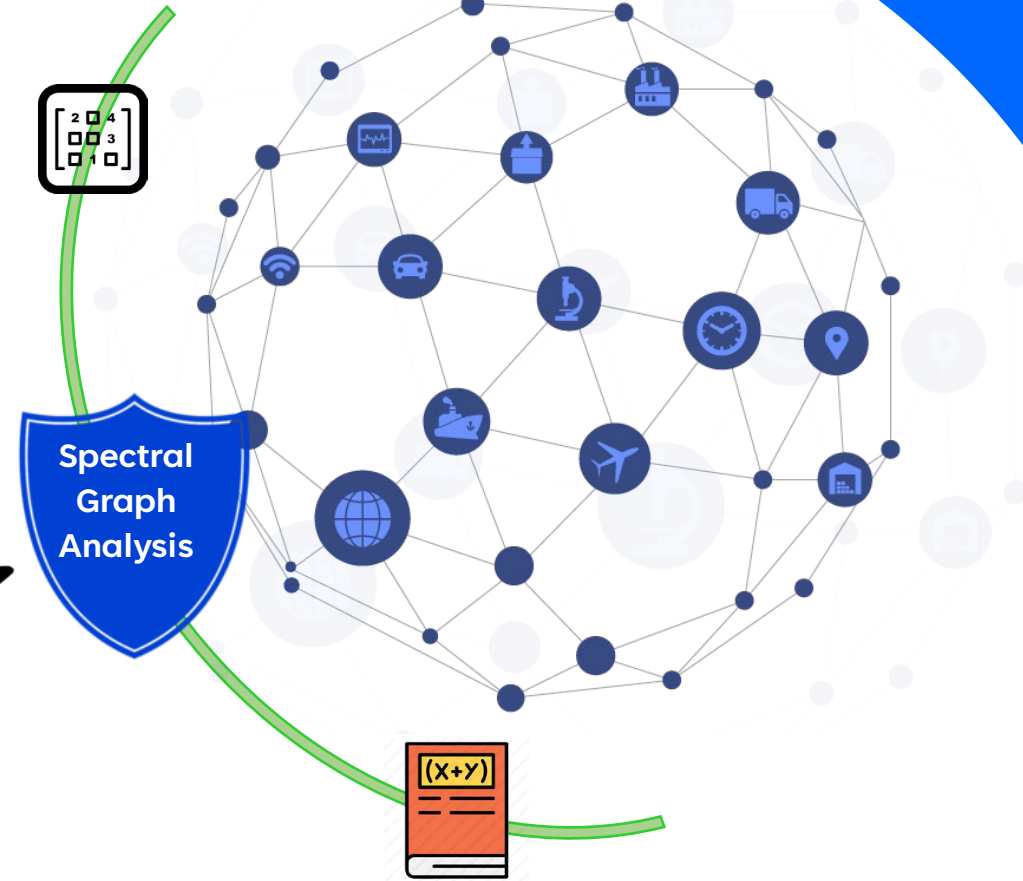
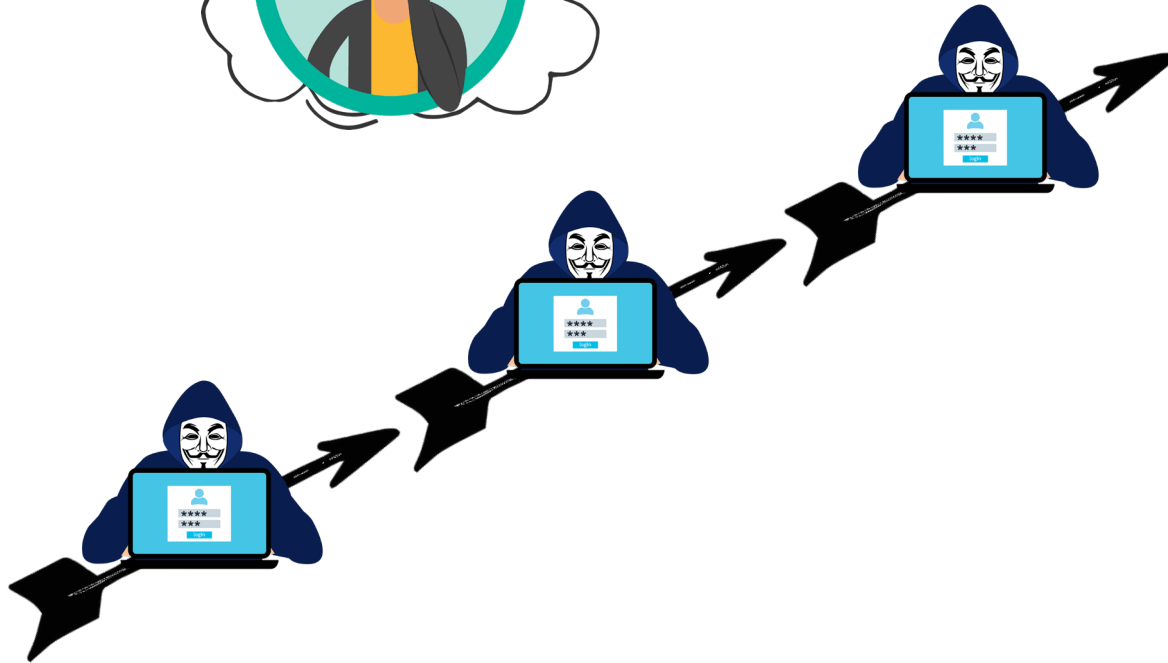


DOS
DDOS

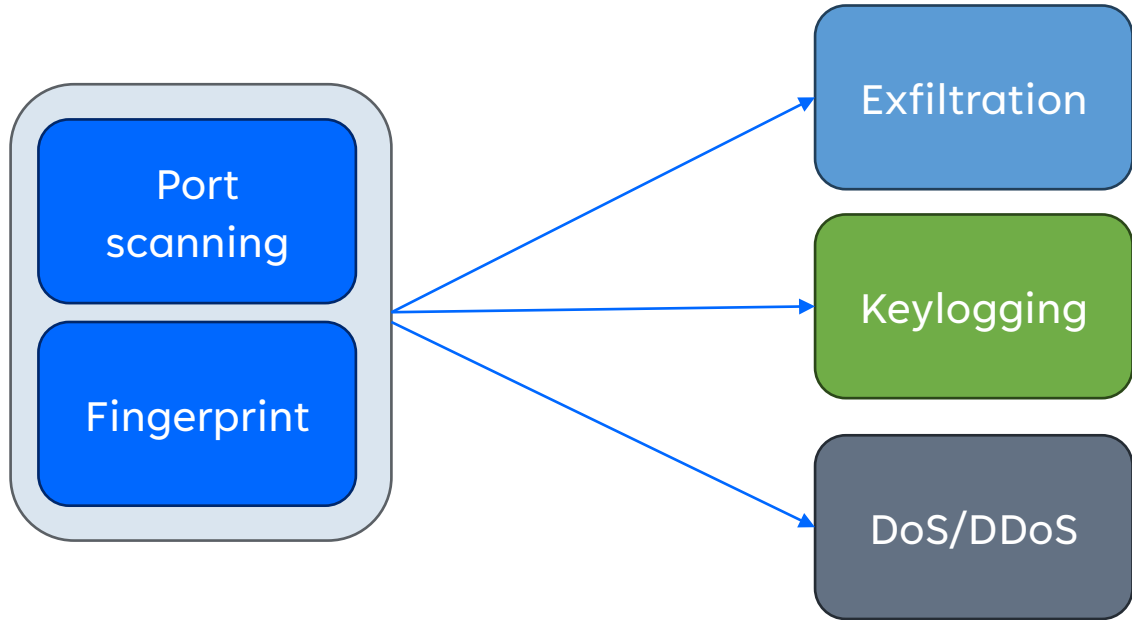


Second Contribution

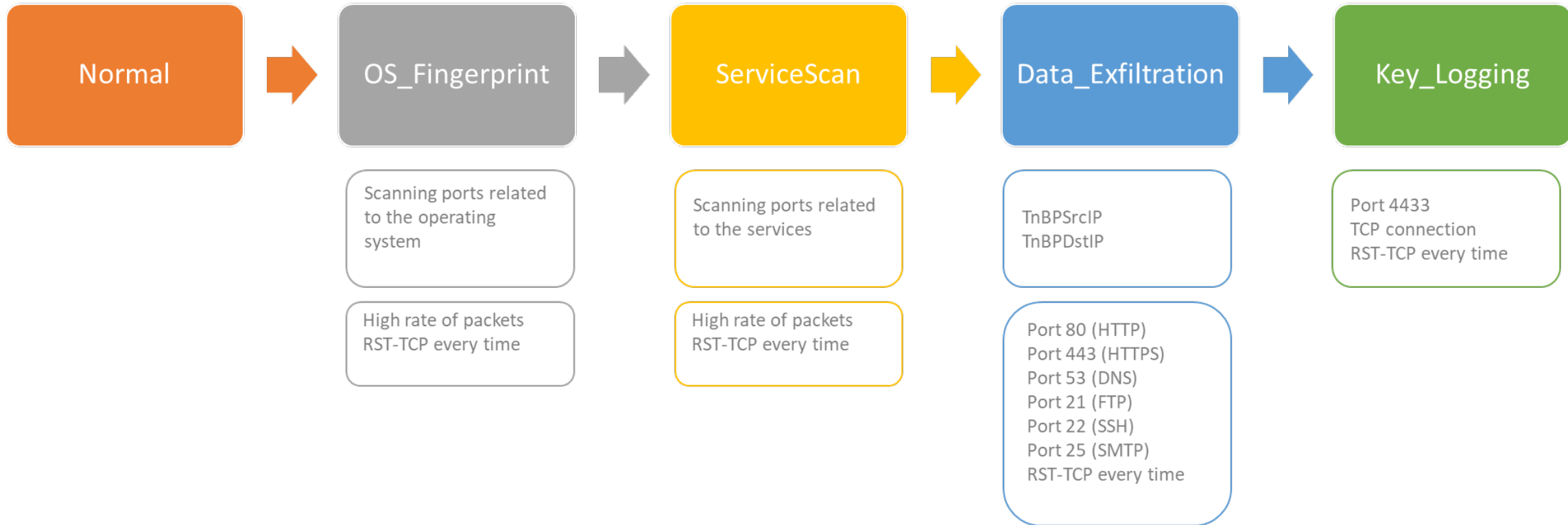
Can spectral analysis detect advanced attacks, a multistep attacks?



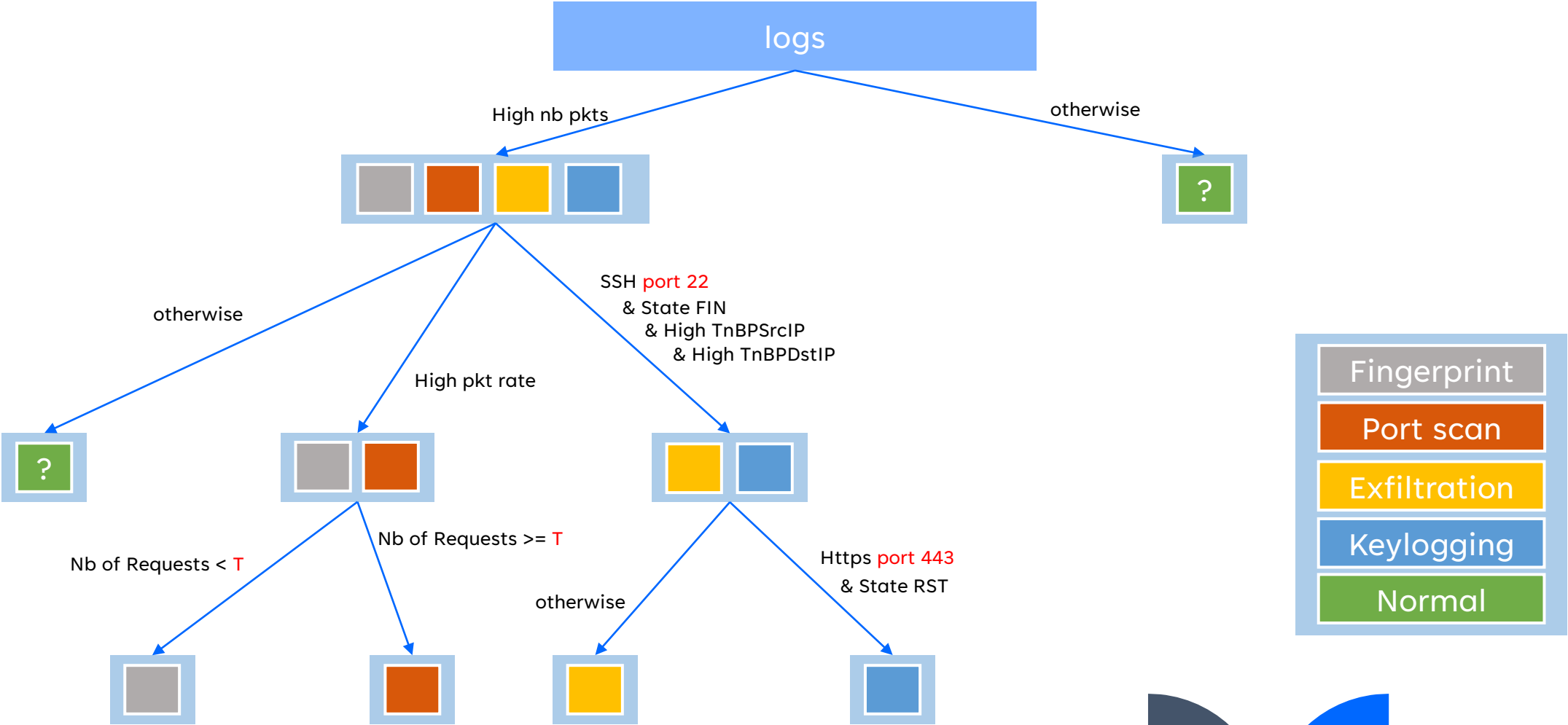
Multistep attack usecase



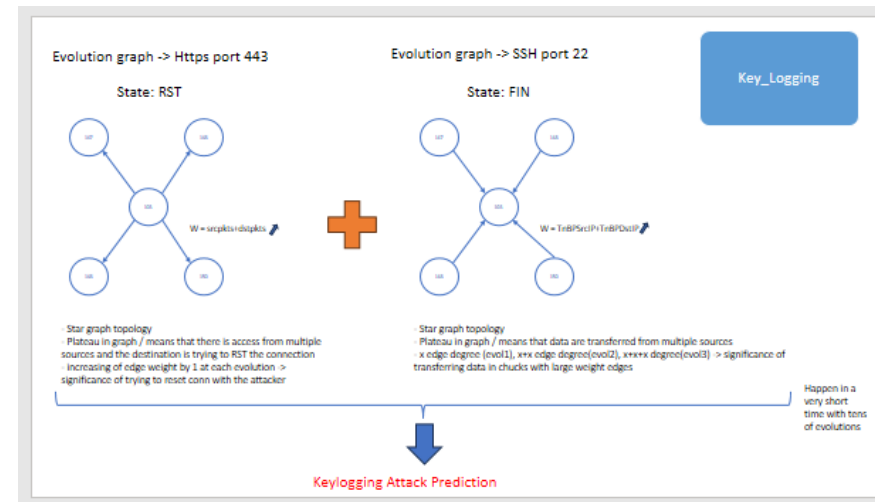
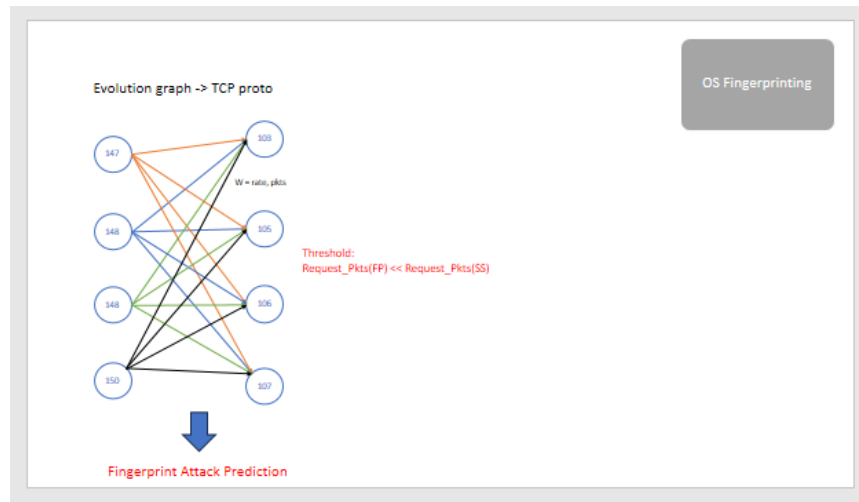
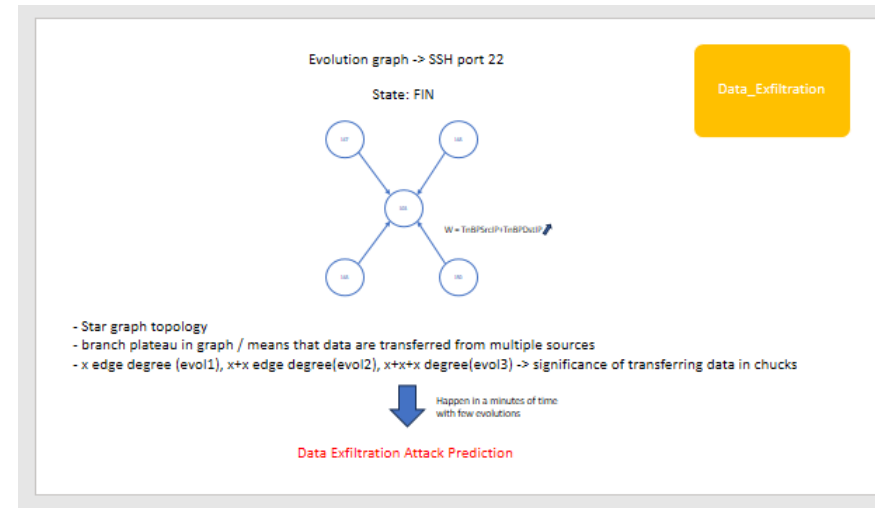
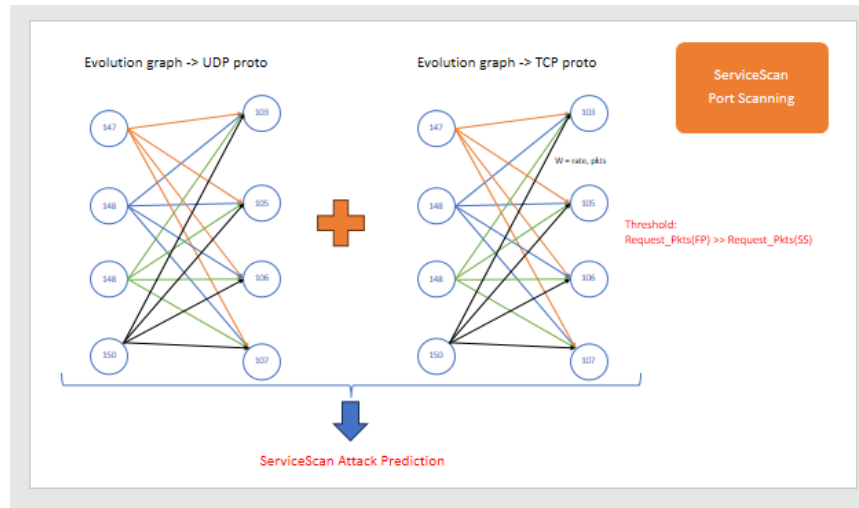
Sequence of multistep attack in BotIoT dataset



Multistep attack criteria



Coming work



Thank you

Majed Jaber majed.jaber@epita.fr

Nicolas Boutry nicolas.Boutry@epita.fr

Pierre Parrend pierre.parrend@epita.fr

Any Questions

